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10MMD/MDE22

Second Semester M.Tech. Degree Examination, June 2012
Advanced Machine Design

Time: 3 hrs.

Max. Marks: 100

Note: 1. Answer any FIVE full questions.
2. Use of approved data hand book permitted,
3. Missing data, if any may be suitably assumed.

- 1 a. Explain the following failure modes with some specific application examples:
 i) Corrosion fatigue ii) Galling and spalling
 iii) Fretting iv) Creep. (10 Marks)
- b. A differential element has a combined stress state given below:
 $\sigma_x = 69 \text{ MPa}$, $\sigma_y = 35 \text{ MPa}$, $\tau_{xy} = 31 \text{ MPa}$.
 The material properties of that element are:
 $S_{ur} = 138 \text{ MPa}$, $S_{uc} = 552 \text{ MPa}$ and $S_y = 125 \text{ MPa}$.
 Choose an appropriate failure theory based on the given data. Find the factor safety against static failure. (10 Marks)
- 2 a. Explain how S-N-P curves are plotted in a laboratory using rotating bending fatigue testing machine. (10 Marks)
- b. Explain the effect of non-zero mean stress on S-N behaviour. (05 Marks)
- c. A smooth uniaxial rod with a cross section area of 0.003 m^2 is made from a material with an endurance strength of 300 MPa under $R = -1$ conditions. The ultimate tensile strength of the material is 650 MPa and the true fracture strength is 700 MPa. If the rod is subjected to a mean force of 180 kN, what is the allowable alternating force that will not cause failure in 10^6 cycles according to Morrow criterion? (05 Marks)
- 3 a. A smooth uniaxial bar is subjected to a minimum stress of 35 MPa in compression. The endurance strength in reversed bending is 220 MPa. Ultimate tensile strength of the material is 500 MPa and the true fracture strength is 600 MPa. Using the modified Goodman criterion, determine the maximum tensile stress that the bar will withstand without failure is 10^6 cycles. Repeat the calculation using Morrow criterion. Comment on the difference between the two calculations and its significance. (10 Marks)
- b. Explain the effect of the following factors on S-N behaviour:
 i) Microstructure ii) Size effect
 iii) Surface finish iv) Temperature. (10 Marks)
- 4 a. Explain the following:
 i) Stable cyclic stress-strain hysteresis loop
 ii) Cyclic hardening and cyclic softening. (06 Marks)
- b. Material data for SAE 1045 steel with a hardness of 250 BHN is given below.
Monotonic properties:
 $\sigma_y: 634 \text{ MPa}$, $n: 0.13$, $k: 1145 \text{ MPa}$, $\sigma_f: 1227 \text{ MPa}$, $E_f: 1.04$.
Cyclic properties:
 $\sigma_y^1: 414 \text{ MPa}$, $n^1: 0.18$, $k^1: 1344 \text{ MPa}$,
 $\sigma_f^1: 1227 \text{ MPa}$, $\epsilon_f^1: 1.00$, $b: -0.095$, $c: -0.66$.
 Sketch the hysteresis loop obtained at an alternating tension/compression loading stress $\sigma = \pm 700 \text{ MPa}$. (14 Marks)

- 5 a. Explain the following:
- i) Sigmoidal $\frac{da}{dN} - \Delta k$ curve
 - ii) Effect of specimen thickness on fracture toughness.
 - iii) Mean stress influence on fatigue crack growth rates. (12 Marks)
- b. A very wide 25 mm thick plate of 7075-T6 aluminum contains a single edge crack of length $a = 1.0$ mm. The plate is subjected to an alternating stress with $S_{max} = 175$ MPa and $S_{min} = 0$. Assuming that Paris equation is applicable and $A = 2.7 \times 10^{-11}$ and $n = 3.7$, determine:
- i) The critical crack length at fracture
 - ii) The number of cycles before fracture.
- Take $S_y = 560$ MPa and $k_c = 30$ MPa \sqrt{m} , for the material given. (08 Marks)

- 6 a. Explain the need for cumulative damage theories. Explain Palgren-miner rule for cumulative damage. (08 Marks)
- b. A round steel shaft is repeatedly subjected to the block of nominal axial stress history shown in the table.1 given below. If the shaft is smooth with a polished surface finish, how many blocks of this stress history can be applied before failure is expected? Use linear damage theory.

Load segment	Applied cycles	Minimum stress(MPa)	Maximum stress(MPa)
1	3	-500	500
2	1	-500	650
3	10	0	650

Table.1

Use $\sigma_f^1 : 1240$ MPa and $b = -0.07$ and $S_u = 931$ MPa for the material. (12 Marks)

- 7 a. Explain the following:
- i) Stochastic variable.
 - ii) Sample data
 - iii) Sample mean
 - iv) Standard deviation.
 - v) Coefficient of variation. (10 Marks)
- b. The following data from 43 specimens were obtained from rotating bending fatigue tests at constant stress level and were grouped as follows:

No. of samples failed	3	8	6	10	8	5	3
Cycles to failure(N_f)	1600	1900	2200	2500	2800	3100	3400

Calculate:

- i) The mean, standard deviation and coefficient of variance.
 - ii) Plot the frequency distribution curve assuming the data to be normally distributed. (10 Marks)
- 8 a. Enumerate the precautions that a designer can take to minimize the chances of surface failure. (08 Marks)
- b. Derive an expression for contact pressure distribution in parallel cylindrical contact, show the distribution of pressure schematically. (12 Marks)

- 3 b. Given a mass spring system, consisting of a mass 'm' and a linear spring of stiffness 'K' as shown in Fig. Q3 (b). Find the equations of motion using Hamiltonian procedure. (06 Marks)

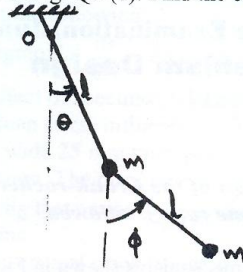


Fig. Q3 (a)

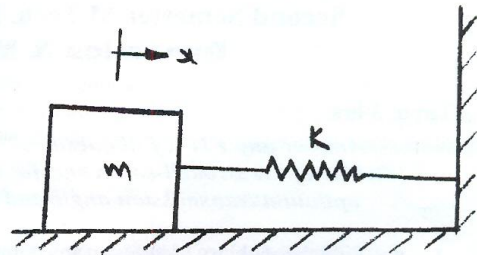


Fig. Q3 (b)

- 4 a. Write the expressions to estimate the gyroscopic moment due to, i) Rolling ii) Yawning and iii) pitching on a ship when
- Axis of spin parallel to longitudinal axis of ship.
 - Axis of spin transverse to axis of ship.
 - Axis of spin perpendicular to deck.
- (08 Marks)
- b. A system having a natural frequency of 15 Hz is allowed to explosive type of input which has been changed to equivalent approximate steps shown in Fig. Q4 (b). Determine the phase plane plot and displacement-time plot. Find the maximum displacement of the system.

(12 Marks)

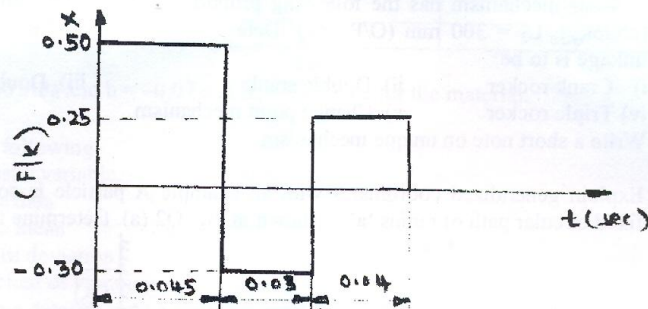


Fig. Q4 (b)

- 5 a. Using Hartmann's construction, derive Euler-Savary equation and hence define inflection circle. (14 Marks)
- b. Design a crank-rocker mechanism with optimum transmission angle, a unit time ratio, and a rocker angle of 45° using a rocker 250 mm in length. Use the chart (Brodell -Soni) $\gamma_{\min} = 50^\circ$. Make a drawing of the linkage to find and verify γ_{\min} , γ_{\max} and ϕ (rocker angle). (06 Marks)
- 6 a. Design a 4-bar mechanism so that $\theta_{12} = 30^\circ$, $\theta_{23} = 30^\circ$ and $\phi_{12} = 45^\circ$, $\phi_{23} = 60^\circ$. Input link (θ) moves in CW direction and output link (ϕ) moves in CCW direction. Use three-position (inversion) techniques. (08 Marks)
- b. Synthesize a linkage to generate the function $y = \log x$ for $10 \leq x \leq 60$ using an input crank range of 120° and an output range of 90° . Length of the input lever to be 30 mm. Use 4-position (point-position reduction) synthesis. (12 Marks)

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- 7 a. Synthesize a 4-bar linkage that will satisfy the following values for the angular velocities and accelerations: $\omega_2 = 20 \text{ rad/s}$, $\alpha_2 = 0 \text{ rad/s}^2$
 $\omega_3 = 8 \text{ rad/s}$, $\alpha_3 = 100 \text{ rad/s}^2$
 $\omega_4 = 10 \text{ rad/s}$, $\alpha_4 = -150 \text{ rad/s}^2$ (08 Marks)
- b. Synthesize an offset slider crank mechanism so that the displacement of the slider is proportional to the square of the crank rotation in the interval of $45^\circ \leq \theta \leq 135^\circ$. The distance of the slider from the crank shaft should be 10 cm for $\theta = 45^\circ$ and 3 cm for $\theta = 135^\circ$. Use Chebychev's accuracy points and analytical method. (12 Marks)
- 8 a. Explain Eulerian angles along with the transformation equations for the rotations. (06 Marks)
- b. A 4 link RGGP crank-rocker mechanism is shown in Fig. Q8 (b). The knowns are the position and plane of rotation of input link, the plane of rotation of output link and dimensions of all 4 links. Find the positions of all moving links when the input crank is set to $\theta_2 = -45^\circ$ as shown in Fig. Q8 (b). (14 Marks)

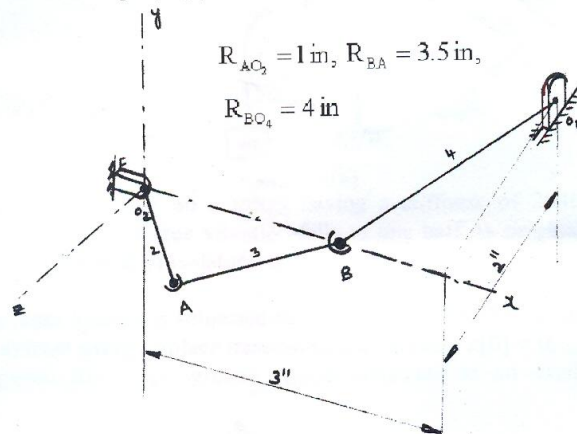


Fig. Q8 (b)

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10MMD/MDE24

Second Semester M.Tech. Degree Examination, June 2012
Advanced Theory of Vibrations

Time: 3 hrs.

Max. Marks:100

Note: Answer any FIVE full questions.

- 1 a. Find the natural frequency of the system shown in Fig.Q.1(a). The cord can be assumed to be extensible. (10 Marks)

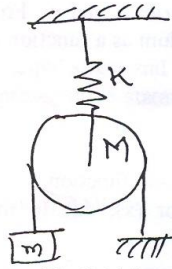


Fig.Q.1(a)

- b. A mass of 2 kg is supported on a spring having a stiffness of 2940 N/m and viscous damping. If the amplitude of free vibration falls to one half its original values in 1.5 sec. Find the damping coefficient of isolator. (10 Marks)
- 2 a. A simple spring mass system is subjected to an impulse force of F_0 at time $t = 0$, obtain the response of the system using Laplace transformation. Assume $x[0] = 0$. (10 Marks)
- b. Obtain the response for a spring-mass system subjected to an excitation as shown in Fig.Q.2(b). (10 Marks)

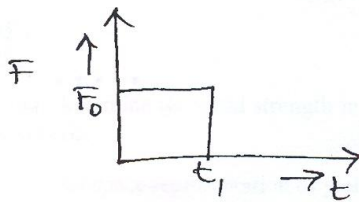


Fig.Q.2(b)

- 3 a. A T.V. set of 25 kg mass must be isolated from a machine vibrating with amplitude of 0.1mm at 1000 rpm. The TV set is mounted on five isolators each having a stiffness of 30,000 N/m and damping constant of 400 N-s/m. Determine: i) Amplitude of vibration of TV set; ii) Dynamic load on each isolator due to vibrations. (10 Marks)
- b. A section of a pipe pertaining to a certain machine vibrated with large amplitudes to a compressor speed of 220rpm. For analyzing the system a spring mass system was suspended from the pipe to act as an absorber. A 1kg absorber mass tuned to 220 cpm resulted in two resonant frequencies of 188cpm and 258cpm. What must be the mass and spring stiffness of absorber if the resonant frequencies are to lie outside the range of 150rpm and 310 cpm? (10 Marks)

4. Any revealing or identification, appeal to evaluator and /or equations written eg. 42+8 = 50, will be treated as malpractice.

- 4 a. Explain the following: i) Electrodynamical exciter; ii) Signal analysis. (10 Marks)
 b. A commercial type vibration pick up has a natural frequency of 5.75cpm and damping factor of 0.65. What is the lowest frequency beyond which the amplitude can be measured with in $\pm 1\%$ error? (10 Marks)
- 5 a. Explain experimental modal analysis covering the required hardware. (10 Marks)
 b. Explain the following machine vibration monitoring techniques:
 i) Time domain techniques; ii) Frequency domain techniques. (10 Marks)
- 6 a. Explain at least 5 differences between linear and non-linear vibrations. (10 Marks)
 b. Apply perturbation method to simple pendulum with $\sin\theta$ replaced by $\theta - \theta^3/6$. Use only the first two terms of the series x and w . From the perturbation method find the equation for time period of the pendulum as a function of amplitude. (10 Marks)
- 7 a. Explain the following terms:
 i) Autocorrelation function.
 ii) Ergodic process.
 iii) Power spectral density function. (10 Marks)
 b. The eccentricity of rotor (x), due to manufacturing errors is found to have following distribution:

$$p(x) = \begin{cases} Kx^2 & 0 \leq x \leq 5\text{mm} \\ 0 & \text{elsewhere} \end{cases}$$
 Where K is constant. Find: i) Mean; ii) Standard deviation; iii) Mean square value of eccentricity. (10 Marks)
- 8 a. Obtain an expression for general solution of vibration of string. The tension ' T ' is large and amplitude of vibration is small. (10 Marks)
 b. Derive the general solution for torsional vibration of circular shaft. (10 Marks)

- 7 a. Derive Geiringer's continuity equations. (10 Marks)
b. An aluminum rod of 6.25 mm diameter is drawn into a wire of 5.6 mm diameter. Determine the drawing stress and tangential stress at the exit when the yield stress for aluminum 35 MPa. Neglect the friction between the rod and dies. Also determine the stresses as the aluminum rod at the entrance to the dies if the rod is extruded. (10 Marks)

- 8 Write short notes on : (20 Marks)
a. Octahedral stresses
b. Yield criteria for anisotropic material.
c. Maximum work Hypothesis
d. Properties of slip lines.
