

USN

--	--	--	--	--	--	--	--	--	--

06MAT31

Third Semester B.E. Degree Examination, June / July 08
Engineering Mathematics - III

Time: 3 hrs.

Max. Marks:100

Note : Answer any FIVE full questions choosing atleast TWO full questions from each part.

PART - A

- 1 a. Expand the function $f(x) = x \sin x$ as a Fourier series in the interval $-\pi \leq x \leq \pi$. (07 Marks)
- b. Obtain a half range cosine for (07 Marks)
- $$f(x) = \begin{cases} kx & \text{for } 0 \leq x \leq l/2 \\ k(l-x) & \text{for } l/2 \leq x \leq l. \end{cases}$$
- c. Obtain the constant term and the coefficients of the first sine and cosine terms in the Fourier expansion of y as given in the following table. (06 Marks)

x :	0	1	2	3	4	5
Y :	9	18	24	28	26	20

- 2 a. Find the Fourier transform of

$$f(x) = \begin{cases} 1 - x^2 & \text{if } |x| \leq 1 \\ 0 & \text{if } |x| > 1 \end{cases} \quad \text{and use it to evaluate } \int_0^{\infty} \left(\frac{x \cos x - \sin x}{x^3} \right) \cos \frac{x}{2} dx.$$

(07 Marks)

- b. Find the Fourier Cosine transform of e^{-x^2} . (07 Marks)

c. Using convolution theorem, find the inverse Fourier transform of $H(\alpha) = \frac{1}{(1+\alpha^2)^2}$.

(06 Marks)

- 3 a. Form the partial differential equation by eliminating the arbitrary functions $F(x+2y) + G(x-3y) = 0$. (07 Marks)
- b. Use the separation of variable technique to solve $3 U_x + 2 U_y = 0$. Given $U(x, 0) = 4 e^{-x}$. (07 Marks)
- c. Solve $(x^2 - y^2 - z^2) p + 2xy q = 2xz$. (06 Marks)
- 4 a. Derive the one dimensional wave equation in the standard form. (06 Marks)
- b. Obtain the various solutions of the Laplace's equation $U_{xx} + U_{yy} = 0$ by the method of separation of variables. (07 Marks)
- c. A tightly stretched string of length l with fixed ends is initially in equilibrium position. It is set to vibrate by giving each point a velocity $V_0 \sin^3 \frac{\pi x}{l}$. Find the displacement $y(x, t)$. (07 Marks)

PART - B

- 5 a. Compute the real root of the equation $x \log_{10} x - 1.2 = 0$ correct to five decimal places using Regula Falsi method. (07 Marks)
- b. Solve the following system of equations by Gauss – Seidel iteration method.
 $27x + 6y - z = 85$, $6x + 15y + 2z = 72$, $x + y + 54z = 110$. (07 Marks)
- c. Find the largest Eigen value and the corresponding Eigen vector of the following matrix by using power method : $\begin{pmatrix} 25 & 1 & 2 \\ 1 & 3 & 0 \\ 2 & 0 & -4 \end{pmatrix}$. Take $(1 \ 0 \ 0)^T$ as the initial Eigen vector. Carry out 4 iterations. (06 Marks)
- 6 a. Use Newton's divided difference formula to find $f(8)$ given. (07 Marks)
- | | | | | | | |
|--------|----|-----|-----|-----|------|------|
| x : | 4 | 5 | 7 | 10 | 11 | 13 |
| f(x) : | 48 | 100 | 294 | 900 | 1210 | 2028 |
- b. Find $\frac{dy}{dx}$ and $\frac{d^2y}{dx^2}$ at $x = 1.05$ given (07 Marks)
- | | | | | | | | |
|--------|---|--------|---------|---------|---------|---------|---------|
| x : | 1 | 1.05 | 1.1 | 1.15 | 1.2 | 1.25 | 1.3 |
| f(x) : | 1 | 1.0247 | 1.04881 | 1.07238 | 1.09544 | 1.11803 | 1.14017 |
- c. By Dividing the range into 6 equal parts, find the approximate value of $\int_0^{\pi} e^{\sin x} dx$ using simpsons $1/3^{\text{rd}}$ rule. (06 Marks)
- 7 a. Derive Euler's equation in the form $\frac{d}{dx} \left(f - y' \frac{\partial f}{\partial y'} \right) - \frac{\partial f}{\partial x} = 0$. (07 Marks)
- b. Find the extremal of the function $\int_0^{\pi/2} (y'^2 - y^2 + 4y \cos x) dx$ given $y(0) = 0$, $y(\pi/2) = 0$. (06 Marks)
- c. Find the curve passing through the points (x_1, y_1) and (x_2, y_2) which when rotated about the x - axis gives a minimum surface area. (07 Marks)
- 8 a. Find the Z - transform of i) n^2 ii) $\cos n \theta$. (07 Marks)
- b. Find the inverse Z - transform of $\frac{2z^2 + 3z}{(z+2)(z-4)}$. (07 Marks)
- c. Solve the difference equation $Y_{n+2} + 2Y_{n+1} + Y_n = n$ with $Y_0 = Y_1 = 0$, using Z - transforms. (06 Marks)

USN

--	--	--	--	--	--	--	--	--	--

MATDIP301

Third Semester B.E. Degree Examination, June/July 08
Advanced Mathematics I

Time: 3 hrs.

Max. Marks:100

Note : Answer any FIVE full questions.

- 1 a. Find the modulus and amplitude of $\frac{(3-\sqrt{2}i)^2}{1+2i}$. (06 Marks)
- b. Express the complex number $\frac{(1-i)(2-i)}{3-i}$ in the form of $x + iy$. (07 Marks)
- c. Express the complex number $-1+i\sqrt{3}$ in the polar form. (07 Marks)
- 2 a. If $y = e^{-x} \sinh 3x \cosh 2x$, find y_n . (06 Marks)
- b. If $y = \tan^{-1} x$, then prove that $(1+x^2)y_{n+2} + 2(n+1)xy_{n+1} + n(n+1)y_n = 0$. (07 Marks)
- c. Expand $\sin x$ in ascending powers of $(x - \frac{\pi}{2})$. (07 Marks)
- 3 a. State Maclaurin's theorem and find expansion of e^x . (06 Marks)
- b. State Taylor's theorem and find the expansion of $\sin x$ in powers of $(x - \frac{\pi}{2})$. (06 Marks)
- c. If $u = e^{\frac{x}{t^2}}$, then prove that $2x \frac{\partial u}{\partial x} + t \frac{\partial u}{\partial t} = 0$. (08 Marks)
- 4 a. If $u = \sin^{-1} \left(\frac{x^2 y^2}{x+y} \right)$, prove that $x \frac{\partial u}{\partial x} + y \frac{\partial u}{\partial y} = 3 \tan u$. (06 Marks)
- b. If $u = f(y-z, z-x, x-y)$, prove that $\frac{\partial u}{\partial x} + \frac{\partial u}{\partial y} + \frac{\partial u}{\partial z} = 0$. (07 Marks)
- c. If $x = u(1+v)$, $y = v(1+u)$, show that $\frac{\partial(x, y)}{\partial(u, v)} = 1+u+v$. (07 Marks)
- 5 a. Derive the reduction formula for $\int \sin^n x dx$, where n is +ve integer. (06 Marks)
- b. Evaluate $\int_0^1 x(1-x^2)^{\frac{1}{2}} dx$. (07 Marks)
- c. Evaluate $\int_0^1 \int_{x^2}^{2-x^2} xy dx dy$. (07 Marks)
- 6 a. Evaluate $\int_{-1}^1 \int_0^z \int_{x-z}^{x+z} (x+y+z) dx dy dz$. (06 Marks)
- b. Prove that $\beta(m, n) = \frac{\Gamma m \Gamma n}{\Gamma m+n}$, $m, n > 0$. (08 Marks)
- c. Evaluate $\int_0^{\frac{\pi}{2}} \sqrt{\cot \theta} d\theta$ by expressing in terms of gamma functions. (06 Marks)
- 7 a. Solve $\frac{dy}{dx} = (4x+y+1)^2$. (06 Marks)
- b. Solve $(x^2 - y^2) dx = 2xy dy$. (07 Marks)
- c. Solve $(e^y + 1) \cos x dx + e^y \sin x dy = 0$. (07 Marks)
- 8 a. Solve $x \frac{dy}{dx} + y = x^3 y^6$. (06 Marks)
- b. Solve $(D^3 - 1)y = 0$. (07 Marks)
- c. Solve $(D^3 - 6D^2 + 5D)y = (5+x^2)$. (07 Marks)

USN

--	--	--	--	--	--	--	--	--	--

06ES32

Third Semester B.E. Degree Examination, June / July 08
Analog Electronic Circuits

Time: 3 hrs.

Max. Marks:100

Note : Answer any FIVE full questions, selecting atleast two questions from each part.

PART A

- Differentiate between static and dynamic resistance of a semi conductor diode. (04 Marks)
 - Explain with the help of a circuit diagram the working of a Full Wave Rectifier. Derive expressions for i) I_{dc} ii) I_{rms} iii) V_{dc} iv) Ripple factor v) Rectifier efficiency. (10 Marks)
 - For the circuit shown, in Fig.Q1(c) write the transfer characteristic equations. Assume diodes are ideal. Plot V_0 against V_i , indicating all slopes and voltage levels. (06 Marks)

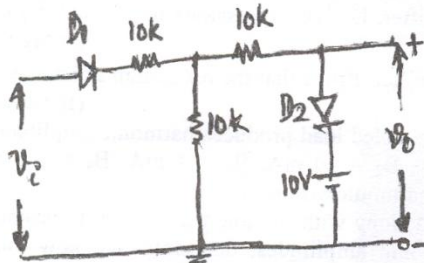


Fig.Q1(c)

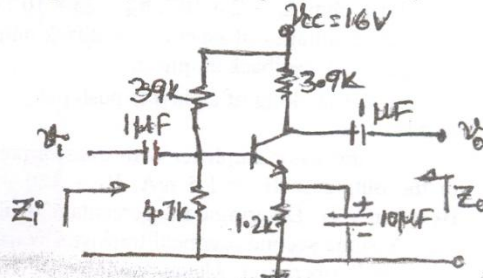


Fig.Q3(a)

- Design a voltage divider bias circuit with $V_{CC} = 10V$, $R_C = 1.5K\Omega$, $I_C = 2mA$, $V_{CE} = 5V$, $\beta = 50$. Assume silicon transistor and stability factor $S = 5$. (08 Marks)
 - Derive an expression for the stability factor $S(I_{CO})$ for a voltage divider bias circuit. (08 Marks)
 - Determine R_B and R_C for the transistor inverter of Fig.Q2(c) if $I_{Csat} = 10mA$. (04 Marks)

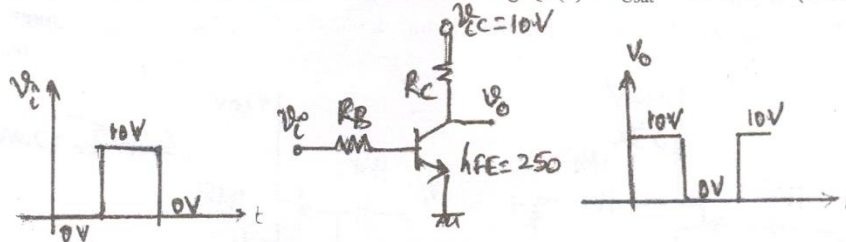


Fig.Q2(c)

- For the network of Fig.Q3(a): i) Determine r_e ii) Calculate Z_i and Z_0 iii) Find A_v Given $\beta = 100$ S_i transistor. (08 Marks)
 - Draw the emitter follower circuit. Derive expressions for: i) Z_i ii) Z_0 iii) A_v using r_e model. (08 Marks)
 - Define h-parameters. Draw the h-parameter model of a transistor. (04 Marks)
- Determine the lower cutoff frequency for the network of Fig.Q4(a). Given $\beta = 100$, $r_0 = \infty\Omega$. Determine the mid band gain. If $C_{be} = 36pF$, $C_{bc} = 4pF$, $C_{w_i} = 6pF$, $C_{w_0} = 8pF$. Determine f_{H_i} and f_{H_0} and sketch the frequency response for low and high frequency regions using the results. (12 Marks)

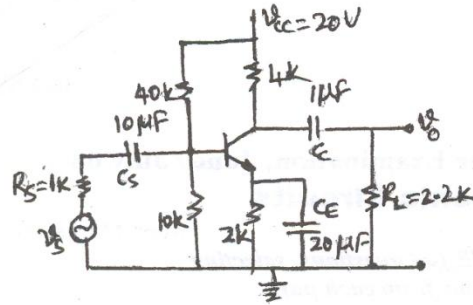


Fig.Q4(a)

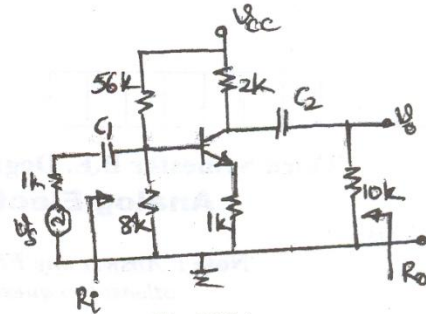


Fig.Q5(b)

- b. Calculate the overall lower 3 db and upper 3 db frequencies for a 3 stage amplifier having an individual $f_1 = 40$ Hz and $f_2 = 2$ MHz. (08 Marks)

PART B

- 5 a. Draw the cascade configuration and list the advantages of this circuit. (04 Marks)
 b. Determine A_i , R_i , A_v and R_o for the circuit shown in fig.Q5(b). Given h parameters $h_{ie} = 1.1$ k ohm, $h_{re} = 2 \times 10^{-4}$, $h_{oc} = 25 \times 10^{-6} \Omega$, $h_{fe} = 50$. (08 Marks)
 c. List the advantages of negative feedback amplifier. Derive expressions for Z_{if} and Z_{of} for voltage series feedback amplifier. (08 Marks)
- 6 a. Explain the working of a class B push pull amplifier. Prove that the maximum efficiency is 78.5%. (10 Marks)
 b. A single transistor amplifier with transformer coupled load produces harmonic amplitudes in the output as $B_0 = 1.5$ mA, $B_1 = 120$ mA, $B_2 = 10$ mA, $B_3 = 4$ mA, $B_4 = 2$ mA, $B_5 = 1$ mA. i) Determine the percentage total harmonic distortion
 ii) Assume second identical transistor is used along with suitable transformer to provide push pull operation. Using the above harmonic amplitudes, determine the new total harmonic distortion. (10 Marks)
- 7 a. Explain with the help of a circuit diagram, the working of an RC phase shift oscillator. (08 Marks)
 b. With the help of Barkhausen criterion, explain the working of a BJT crystal oscillator. (08 Marks)
 Calculate the frequency of a Wien Bridge oscillator circuit when $R = 12$ k ohm and $C = 2400$ pf. (04 Marks)
- 8 a. Determine Z_i , Z_o and A_v for the circuit shown in Fig.Q8(a), if $Y_{fs} = 3000 \mu s$ and $Y_{os} = 50 \mu s$. (06 Marks)

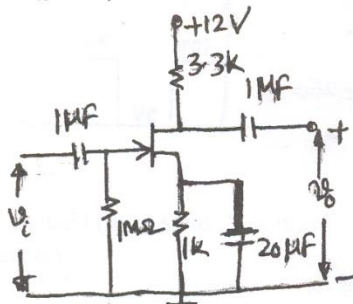


Fig.Q8(a)

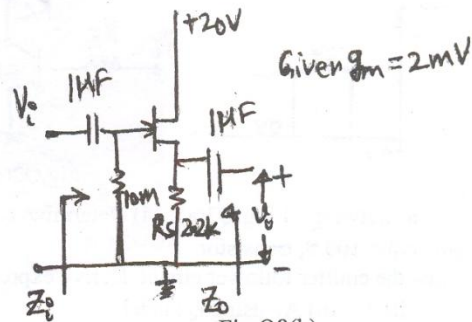


Fig.Q8(b)

- b. Determine Z_i , Z_o , and A_v if $r_d = 40$ k Ω for fig.Q8(b). (06 Marks)
 c. With the help of circuits and equations, show different biasing arrangements for depletion type MOSFET. (08 Marks)

USN

--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--	--

06ES33

Third Semester B.E. Degree Examination, June / July 08
Logic Design

Time: 3 hrs.

Max. Marks:100

Note : Answer any FIVE questions, choosing atleast two from each part.

PART - A

- 1 a. Simplify the following expression using Karnaugh Map. Implement the simplified circuit using the gates as indicated.
- i) $f(ABCD) = \sum m(2,3,4,5,13,15) + \sum \alpha(8,9,10,11)$ use only NAND gates
- ii) $f(ABCD) = \pi(2,3,4,6,7,10,11,12)$ use only NOR gates to implement these circuits. (12 Marks)
- b. Fig shows a BCD counter that produces a 4-bit output representing the BCD code for the number of pulses that have been applied to the counter input. For example, after four pulses have occurred, the counter outputs are $(ABCD) = (0100)_2 = (04)_{10}$. The counter resets to 0000 on the tenth pulse and starts counting over again. Design the logic circuit that produces a HIGH output. Whenever the count is 2, 3 or 9. Use K-mapping and take advantages of "don't care" conditions. Implement the logic circuit using NAND gates.

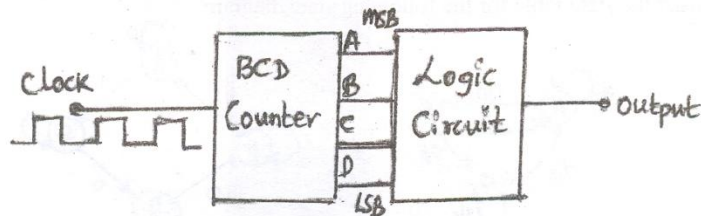


Fig. Q 1(b)

(08 Marks)

- 2 a. Simplify the logic function given below, using Quine-McCluskey minimization technique. $Y(ABCD) = \sum m(0,1,3,7,8,9,11,15)$. Realize the simplified expression using universal gates. (12 Marks)
- b. Simplify the logic function given below using variable-entered mapping (VEM) technique. $Y(ABCD) = \sum m(1,3,4,5,8,9,10,15) + \sum d(2,7,11,12,13)$. (08 Marks)
- 3 a. Realize the following Boolean function $f(ABCD) = \sum(0,1,3,5,7)$
 Using – i) 8 : 1 MUX(74151) ii) 4 : 1 MUX(74153). (08 Marks)
- b. Design a combinational logic circuit that will convert a straight BCD digit to an Excess-3 BCD digits.
 i) Construct the truth table
 ii) Simplify each output function using Karnaugh Map and write the reduced equations.
 iii) Draw the resulting logic diagram. (12 Marks)
- 4 a. Design a 4-bit BCD adder circuit using 7483 IC chip, with self-correcting circuit. i.e., a provision has to be made in the circuit, in case if the sum of the BCD number exceeds 9. (12 Marks)
- b. Design a combinational circuit that accepts two unsigned 2-bit binary number and provides 3 outputs.
 Inputs : word $A = A_1A_0$, word $B = B_1B_0$.
 Output : $A = B, A > B, A < B$. (08 Marks)

PART - B

- 5 a. Derive the characteristics equations of the following flip flops.
 i) SR flip flops ii) JK flip flop. (10 Marks)
- b. Explain clearly the operation of an asynchronous inputs in a flip flops with suitable example. (06 Marks)
- c. An edge triggered 'D' flip flop is connected as shown in the Fig. Q 5(b). Assume that $Q = 0$ initially and sketch the wave form and determine its frequency of the signal at 'Q' output.

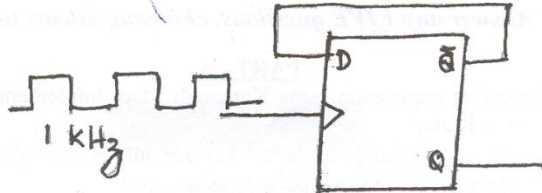


Fig. Q 5(C)

(04 Marks)

- 6 a. With the help of a suitable example, explain the following operations in a shift register.
 i) SISO ii) PISO iii) Twisted ring counter. (10 Marks)
- b. Design a ripple counter to count the following sequence, 1111, 1110, 1101, 1100, 1011, 1111, 1110, 1101, 1100, 1011, etc. Suggest a suitable circuit using 7490 and other gates to obtain the desired result. (10 Marks)
- 7 a. With a suitable example, explain the Mealy and Moore Model of a sequential circuit. (10 Marks)
- b. Construct the state table for the following state diagram.

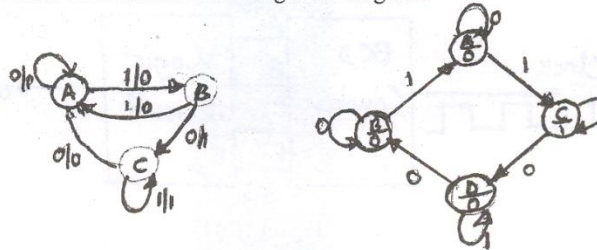


Fig. Q 7(c)

(10 Marks)

- 8 a. Design a clocked sequential circuit that operates according to the state diagram shown. Implement the circuit using D - flip flop.

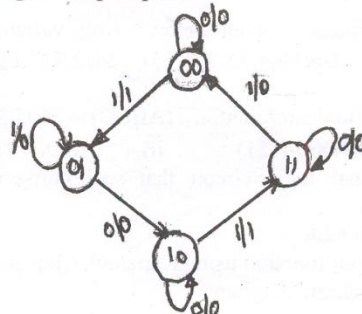


Fig. Q 8(a)

(12 Marks)

- b. Design a counter using JK - flip flops whose counting sequence is 000, 001, 100, 110, 111, 101, 000 etc. by obtaining its minimal sum equations. (08 Marks)

PART - B

- 5 a. Define the following terms – i) Resonance, ii) A – factor, iii) Selectivity, iv) Band Width. (04 Marks)
 b. Derive the expression for parallel resonance circuit. Containing resistance in both the branches. (06 Marks)
 c. A series R L C circuit has $R = 10 \Omega$, $L = 0.01 \text{ H}$ and $C = 0.01 \mu\text{ F}$ and it is connected across 10 mV supply. Calculate – i) f_0 ii) Q_0 iii) Band Width iv) f_1 and f_2 , v) I_0 . (10 Marks)
- 6 a. Why to study initial conditions? (03 Marks)
 b. For the network diagram shown in Fig. Q6 (b) find out $i(0^+)$, $\frac{di(0^+)}{dt}$ and $\frac{d^2i(0^+)}{dt^2}$, take $V_c(0) = 0$ if K is closed at $t = 0$. (07 Marks)

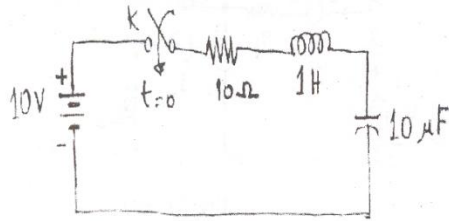


Fig. Q 6(b)

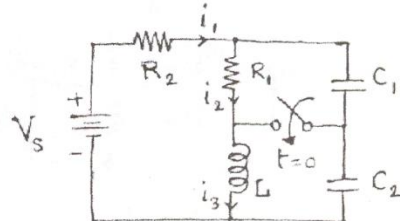


Fig. Q 6(c)

- c. Determine the currents at $t = (0^+)$ for the circuit shown in Fig. Q 6(c). (10 Marks)
- 7 a. Define impulse function. Draw diagram of approximate impulse function. Obtain L. T of impulse function. (05 Marks)
 b. For the circuit shown in Fig. Q 7(b) find out the current $i(t)$ if K is closed at $t = 0$, use L. T. method. (05 Marks)
 c. Find the equivalent impedance for the circuit, shown in Fig. Q 7(c) L. T. (10 Marks)

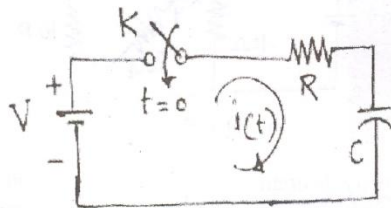


Fig. Q 7(b)

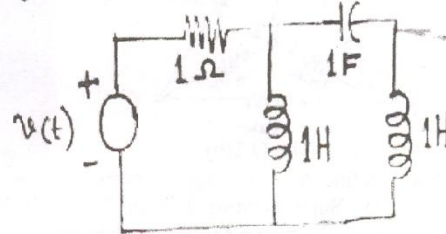


Fig. Q 7(c)

- 8 a. What is the use of hybrid parameters? Define hybrid parameters. (05 Marks)
 b. Derive expressions for Y – parameters in terms transmission parameters. (05 Marks)
 c. For the network shown in Fig. Q 8 (c) obtain the O.C. impedance parameters.

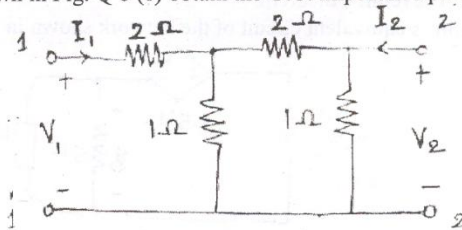


Fig. Q 8(c)

(10 Marks)
