

**BCS501** 

### Fifth Semester B.E./B.Tech. Degree Examination, Dec.2024/Jan.2025 Software Engineering and Project Management

Time: 3 hrs. Max. Marks: 100

		Module – 1	M	L	C
Q.1	a.	Explain software process and software engineering practices.	10	L2	CO1
	b.	Explain the waterfall model and incremental model, with diagram.	10	L2	CO1
	-	OR			
Q.2	a.	Explain Boehm Spiral process model with a neat diagram. Mention its	10	L2	CO1
		advantages and disadvantages.			
	b.	Explain the five activities of a generic process framework for software	10	L2	CO1
		engineering.			
		Module – 2			
Q.3	a.	Explain the distinct tasks of requirement engineering.	10	L2	CO <sub>2</sub>
	b.	Illustrate the UML use case diagram for safe home system.	10	L2	CO <sub>2</sub>
		OR			
Q.4	a.	Explain Class-Responsibility-Collaborator(CRC) modeling and data	10	L2	CO <sub>2</sub>
		modeling with an example.			
	b.	Explain the elements of analysis model in requirement modeling.	10	L2	CO <sub>2</sub>
	1	Module – 3			
Q.5	a.	Explain the principles of agile process development.	10	L2	CO <sub>3</sub>
4.0	b.	Explain the following:	10	L2	CO3
		i) Adaptive software development			
		ii) SCRUM			
		OR			
Q.6	a.	Explain the concepts of extremes programming with a neat diagram.	10	L2	CO <sub>3</sub>
	b.	Explain design modeling principles that guide the respective framework	10	L2	CO3
		activity.		500000000	
		Module − 4			
Q.7	a.	Illustrate the project management life cycle with a neat diagram.	10	L2	CO4
	b.	Explain: i) Different ways of categorizing software projects	10	L2	CO4
		ii) Smart objectives			
		OR		•	
Q.8	a.	Explain the difference between traditional versus modern project	10	L3	CO4
•		management practices along with the role of management.			
	b.	Explain software development life cycle (ISO 12207) with a neat diagram.	10	L2	CO4
		Module – 5			
Q.9	a.	Explain Quality Management System with principles of BS EN ISO-9001-	10	L2	CO5
		2000.			
	b.	Explain the following:	10	L2	CO5
		i) McCall model ii) Garvin's Quality Dimensions.			
		OR			
Q.10	a.	Describe six generic functions allowed in automated estimation techniques	10	L3	CO5
		of software projects.			
	b.	Explain COCOMO II model.	10	L2	CO5
	1		-		



		-				n. 0	
USN					8		
		 -	14	5.4	=		

**BCS502** 

# Fifth Semester B.E./B.Tech. Degree Examination, Dec.2024/Jan.2025 Computer Networks

Time: 3 hrs.

Max. Marks: 100

			50.0		
		Module 1	M	L	C
Q.1	a.	What is data communication? List and explain characteristics and components of communication model.	06	L1	CO1
	b.	Define switching. Explain Circuit Switched Network and Packet Switched Network.	06	L2	CO1
	c.	With neat sketch, explain different layers of TCP/IP protocol suite.	08	L2	CO1
	l	OR			
Q.2	a.	What are guided transmission media? Explain twisted pair cable in detail.	06	L1	CO1
2	b.	What is Virtual Circuit Network (VCN)? With neat diagram, explain three phases involved in VCN.	08	L1	CO1
	c.	Write a note on Encapsulation and decapsulation at Source Host for TCP/IP protocol suite.	06	L2	CO1
		Module – 2			
Q.3	a.	Define Redundancy. Explain CRC encoder and CRC decoder operation with block diagram.	08	L2	CO2
	b.	Distinguish between Flow Control and Error Control. Explain Stop and Wait Protocol.	08	L2	CO2
	c.	List and explain Control Fields of I-frames, S-frames and U-frames.	04	L2	CO2
		OR OR	0.0	T 4	CO4
Q.4	a.	What is Hamming distance? With example, explain Parity Check Code.	06	L1	CO2
***	b.	Define Framing. Explain character oriented framing and bit-oriented framing.	06	L1	CO2
	c.	With flow diagram, explain CSMA/CA.	08	L2	CO2
	4	Module – 3	,		
Q.5	a.	Explain virtual-circuit approach to route the packets in packet-switched network.	10	L2	CO3
9	b.	Illustrate the working of OSPF and BGP.	10	L3	CO3
	•	C OR			
Q.6	a.	Explain IPv6 datagram format.	10	L2	CO3
	b.	Write an Dijikstra's algorithm to compute shortest path through graph.	06	L1	CO3
	c.	Write a note on Routing Information Protocol (RIP) algorithm.	04	L2	CO3
		Module – 4		,	
Q.7	a.	Explain Go-Back-N protocol working.	10	L2	CO4
	b.	With neat sketch, explain three-way handshaking of TCP connection establishment.	10	L2	CO4
		1 of 2			

					1911
		atta.		ВС	CS502
			-		
0.0	Τ_	OR			
Q.8	a.	With an outline, explain selective repeat protocol.	10	L2	CO4
	b.	List and explain various services provided by User Datagram Protocol (UDP).	10	L2	CO4
	L	Module – 5		L	
Q.9	a.	Briefly explain Secure Shell (SSH).	10	L2	CO4
	b.	Write a note on Request message and response message formats of HTTP.	10	L2	CO4
			8.		
		OR			-
Q.10	a.	With neat diagram, explain the basic model of FTP.	04	L2	CO4
	b.	Describe the architecture of electronic mail (e-mail).	06	L3	CO4
	c.	Briefly explain Recursive Resolution and Iterative Resolution in DNS.	10	L2	CO4
		C.			
		****			
		Co.			
		6 6 19			
		19			
	-				
		Este Asia Paris Les Les Les Les Les Les Les Les Les Le			

A 3 HOLD ON PROPERTY OF STATE OF STATE

#### CBCS SCHEME

USN			,					*	BCS503
	8		1		1	1			

# Fifth Semester B.E./B.Tech. Degree Examination, Dec.2024/Jan.2025 Theory of Computation

Time: 3 hrs.

Max. Marks: 100

		Module – 1	M	L	C
Q.1	a.	Define the following with example !	3	L1	CO1
		i) Language ii) String iii) Power of an alphabet.			
			10	T 2	CO1
3	b.	Define DFA. Draw a DFA to accepts.	10	L3	CO1
		i) The set of all strings that contain a substring aba.			54
		ii) To accept the stings of a's and b's that contain not more than there b's.			
		iii) $L = \{w \in \{a, b\}^* : \text{No 2 consecutive characters are same in } w\}.$			
	c.	Convert the following NFA to DFA.	7	L2	CO1
	C.	Convert the following 14 A to D1 A.	<b>'</b>		
		0 1			
	198	$\rightarrow p \{p,q\} \{p\}$			
		$q = \{r\} = \{r\}$		2	
		r {s} ф			
		* s \ \{s\} \ \{s\}			
		OR			
Q.2	a.	Define the following with example:	3	L1	CO1
		i) Alphabet			
		ii) Reversal of string			
		iii) Concatenation of Languages.			
	-	Discount I	7	T 2	CO1
	b.	Design a DFA for the Language:	7	L3	CO1
		$L = \{w \in \{0, 1\}^* : w \text{ is a string divisible by 5}\}.$			-
		Define NEA Obtain on a NEA which descrite strings consisting of 0 or	10	L2	CO1
	4	Define NFA. Obtain an $\varepsilon$ - NFA which accepts strings consisting of 0 or more a's , followed by 0 or more b's followed by 0 or more C's. Also	10	LL	COI
	1	convert it to DFA.			
	7	Convert it to Didit			
		Module – 2		1	<b></b>
Q.3	a.	Define Regular expression. Write the regular expression for the following	10	L2	CO2
		languages :			
		i) Strings of a's and b's starting with a and ending with b.			
		ii) Set of strings that consists of alternating 0's and 1's.			
		iii) $L = \{a^n bm, (n+m) \text{ is even}\}.$			
		iv) $L = \{w : / w / \text{mod } 3 = 0 \text{, where } w \in \{a, b\}^*\}.$			
		19			-
		1 of 2	<u></u>	<u> </u>	1

A   B   A   C   C   D   B		b.	Minimize the following finite automata using Table filling algorithm:	10	L2	CO2
A B A C C C D B * D D A E D D F F G E G F G H G D   Define the Pumping Lemma for the Regular Languages And also prove that the following languages are note regular.  i) L = {0° 1° l n ≤ m}{1000 m} (1 m) L = {0° 1° m 2° km, m ≥ 1}.  Module →  Q.5 a. Design CFG for the following languages: i) L = {a° b° g° -n ≥ 0} iiii) L = {a° b° g° -n ≥ 0} iiii L = {a° b° g° -n ≥ 0} iiii L = {a° b° g° -n ≥ 0} i	×	J.		10		002
B A C B * D D B * D D A E D F F G E G F G H G D   OR  Q.4 a. Construct ε-NFA for the following Regular expression: i) (0+1) 0 1(1+0) ii) 1(0+1)*0 iii) (0+1)*0 11*  b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).  Fig. Q4(b)  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular. i) L = {0^0 1^m   n ≤ m} ii) L = {0^0 1^m 2^4   n m ≥ 1}.  Q.5 a. Design CFG for the following languages: i) L = {a^0 p^{1/3} - n ≥ 0} ii) L = {a^0 p^{1/3} - n ≥ 0} ii) L = {a^0 p^{1/3} - n ≥ 0} ii) L = {a^0 p^{1/3} - n ≥ 0} iii) L = {a^0 p^{1/3} -						
Q.4   a.   Construct ε - NFA for the following Regular expression:     (0+1) 0 1(1+0)						
Part						
E   D   F   C   C   C   C   C   C   C   C   C						
G. State the Pumping Lemma for the Regular Languages And also prove that the following languages are note regular.  i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  ii) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iii) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iii) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iii) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m}.  iv) L				-		
Q.4 a. Construct ε-NFA for the following Regular expression: i) (0+1) 0 1(1+0) ii) 1(0+1) 0 iii) (0+1) 011 1  b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).  Fig. Q4(b).  Fig. Q4(b).  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n m ≥ 1}.  Module → 3  Q.5 a. Design CFG for the following languages i) L = {a <sup>n</sup> b <sup>n 2</sup> , j = i + k , i ≥ 0 , k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n 2</sup> , j = i + k , i ≥ 0 , k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n 3</sup> , m ≠ n} v) Palinderomes over 0 and 1s.  b. Consider the grammar G with productions. S → A b B / A / B ∴ A → aA / ε ∴ B → a B / b B / ε. Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6 a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a'b' c' / i + k = j , i ≥ 0 , k ≥ 0} and show the moves made by the PDA						
Q.4 a. Construct ε - NFA for the following Regular expression: i) (0+1) 0 1(1+0) ii) 1(0+1) 0 iii) (0+1) 0 11 defined by fig. Q4(b).  b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).  Fig. Q4(b)  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup> {ii} m ≥ 1}.  Module → 3  Q.5  a. Design CFG for the following languages; ii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>2</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>2</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> c ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup>			$G \to G$			
Q.4 a. Construct ε - NFA for the following Regular expression: i) (0+1) 0 1(1+0) ii) 1(0+1) 0 iii) (0+1) 0 11 defined by fig. Q4(b).  b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).  Fig. Q4(b)  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup> {ii} m ≥ 1}.  Module → 3  Q.5  a. Design CFG for the following languages; ii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>2</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>2</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j = i + k , i ≥ 0 - k ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> , j ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup> c <sup>3</sup> c ≥ 0}; iii) L = {a <sup>1</sup> b <sup>2</sup>			H G D		50	
<ul> <li>Q.4 a. Construct ε - NFA for the following Regular expression: i) (0+1) 0 1(1+0) ii) 1(0+1) 0 iii) (0+1) 0 11*</li> <li>b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).</li> <li>c. State the Pumping Lemma for the Regular Languages And also prove that the following languages are note regular. i) L = {0<sup>n</sup> 1<sup>m</sup>   n ≤ m} ii) L = {0<sup>n</sup> 1<sup>m</sup> 2<sup>4</sup>   n, m ≥ 1}.</li> <li>Q.5 a. Design CFG for the following languages: i) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} ii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n</sup> · n ≠ n} v) Palinderomes over 0 and 1.</li> <li>b. Consider the grammar G with productions. S → A b B / A / B</li></ul>			The Land			
<ul> <li>Q.4 a. Construct ε - NFA for the following Regular expression: i) (0+1) 0 1(1+0) ii) 1(0+1) 0 iii) (0+1) 0 11*</li> <li>b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).</li> <li>c. State the Pumping Lemma for the Regular Languages And also prove that the following languages are note regular. i) L = {0<sup>n</sup> 1<sup>m</sup>   n ≤ m} ii) L = {0<sup>n</sup> 1<sup>m</sup> 2<sup>4</sup>   n, m ≥ 1}.</li> <li>Q.5 a. Design CFG for the following languages: i) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} ii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n²</sup> · n ≥ 0} iii) L = {a<sup>n</sup> b<sup>n</sup> · n ≠ n} v) Palinderomes over 0 and 1.</li> <li>b. Consider the grammar G with productions. S → A b B / A / B</li></ul>			OP			L
b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).  Fig. Q4(b)  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular.  i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.   Module → 3  Q.5  a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} ii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+2</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, i ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, i ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> , j = i + k, j ≥ 0, k ≥	04			6	T 1	CO2
b. Obtain the Regular expression that denotes the language accepted by Fig. Q4(b).  Fig. Q4(b)  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular.  i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.   Module 3  Q.5  a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n-3</sup> a ≥ 0} ii) L = {a <sup>n</sup> b <sup>n-3</sup> a ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> a ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> a ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> a ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> a ≥ 0} iv) L = {a <sup>m</sup> b <sup>n</sup> m ≠ n} v) Palinderomes over 0 and 1  b. Consider the grammar G with productions. S → A b B / A / B Obtain LMD , RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  Q.6  Q.6  a. Define the following with example: i) Context free grammar. ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a <sup>1</sup> b <sup>1</sup> c <sup>k</sup> / i + k = j , i ≥ 0 , k ≥ 0} and show the moves made by the PDA	Q.4	a.		U	LI	COZ
Fig. Q4(b)  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages, And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.  Module →3  Q.5 a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} ii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) Consider the grammar G with productions. S → A b B / A / B , A → aA / g ; B → a B / b B / ε. Obtain LMD , RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6 a. Define the following with example : i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language : L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> / i + k = j , i ≥ 0 , k ≥ 0} and show the moves made by the PDA			1) (0+1) 0 1 (1+0) (1) 1 (0+1) 0 111 (0+1) 0 11	-		
Fig. Q4(b)  Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages, And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.  Module →3  Q.5 a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} ii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-2</sup> · n ≥ 0} iii) Consider the grammar G with productions. S → A b B / A / B , A → aA / g ; B → a B / b B / ε. Obtain LMD , RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6 a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a <sup>n</sup> b <sup>n</sup> c <sup>n</sup> / i + k = j , i ≥ 0 , k ≥ 0} and show the moves made by the PDA	-	L	Obtain the December expression that denotes the language accepted by	6	Т2	CO2
Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.  Module →3  Q.5 a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> · n ≥ 0} iii) L = {a <sup>n</sup>		D.		O	LS	COZ
Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.  Module -3  Q.5 a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n</sup> / m ≠ n} v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. S → A b B / A / B						
Using Kleene's theorem.  c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular. i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>4</sup>   n, m ≥ 1}.  Module 3  Q.5 a. Design CFG for the following languages; i) L = {a <sup>n</sup> b <sup>n-3</sup> , n ≥ 0} ii) L = {a <sup>n</sup> b <sup>n-3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> , n ≥ 0} iii) L = {a <sup>n</sup> b <sup>n-3</sup> , n ≠ n} v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. S → A b B / A / B ; A → aA / ε ; B → a B / b B / ε. Obtain LMD , RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6 a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a <sup>n</sup> b <sup>n</sup> c <sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA						
c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular.  i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.   Module → 3  Q.5  a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} ii) L = {a <sup>i</sup> b <sup>1</sup> c <sup>k</sup> , j = i + k, i ≥ 0, k ≥ 0} iii) L = {w / /w / mod 3 > 0 where w ∈ {a}*} iv) L = {a <sup>m</sup> b <sup>n</sup> / m ≠ n} v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. S → A b B / A / B ; A → aA / g ; B → a B / b B / ε. Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6  a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a <sup>i</sup> b <sup>i</sup> c <sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA			Fig. Q4(b)			
c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular.  i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.   Module → 3  Q.5  a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} ii) L = {a <sup>i</sup> b <sup>1</sup> c <sup>k</sup> , j = i + k, i ≥ 0, k ≥ 0} iii) L = {w / /w / mod 3 > 0 where w ∈ {a}*} iv) L = {a <sup>m</sup> b <sup>n</sup> / m ≠ n} v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. S → A b B / A / B ; A → aA / g ; B → a B / b B / ε. Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6  a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a <sup>i</sup> b <sup>i</sup> c <sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA						
c. State the Pumping Lemma for the Regular Languages. And also prove that the following languages are note regular.  i) L = {0 <sup>n</sup> 1 <sup>m</sup>   n ≤ m} ii) L = {0 <sup>n</sup> 1 <sup>m</sup> 2 <sup>n</sup>   n, m ≥ 1}.   Module → 3  Q.5  a. Design CFG for the following languages: i) L = {a <sup>n</sup> b <sup>n+3</sup> , n ≥ 0} ii) L = {a <sup>i</sup> b <sup>1</sup> c <sup>k</sup> , j = i + k, i ≥ 0, k ≥ 0} iii) L = {w / /w / mod 3 > 0 where w ∈ {a}*} iv) L = {a <sup>m</sup> b <sup>n</sup> / m ≠ n} v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. S → A b B / A / B ; A → aA / s ; B → a B / b B / ε. Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6  a. Define the following with example: i) Context free grammar. ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a <sup>i</sup> b <sup>i</sup> c <sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA			Using Kleene's theorem.			
the following languages are note regular.  i) $L = \{0^n \ 1^m \mid n \le m\}$ ii) $L = \{0^n \ 1^m \ 2^n \mid n, m \ge 1\}$ .  Module $-3$ Q.5 a. Design CFG for the following languages: i) $L = \{a^n \ b^{n+3}, n \ge 0\}$ ii) $L = \{a^n \ b^{n+3}, n \ge 0\}$ iii) $L = \{a^i \ b^i \ c^k, j = i + k, i \ge 0, k \ge 0\}$ iii) $L = \{a^m \ b^n / m \ne n\}$ v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. $S \rightarrow A \ b \ B / A / B \qquad A \rightarrow a A / a \qquad B \rightarrow a \ B / b \ B / \epsilon.$ Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6 a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: $L = \{a^i \ b^j \ c^k / \ i + k = j, i \ge 0, k \ge 0\} \text{ and show the moves made by the PDA}$						
the following languages are note regular.  i) $L = \{0^n \ 1^m \mid n \le m\}$ ii) $L = \{0^n \ 1^m \ 2^n \mid n, m \ge 1\}$ .  Module $-3$ Q.5 a. Design CFG for the following languages: i) $L = \{a^n \ b^{n+3}, n \ge 0\}$ ii) $L = \{a^n \ b^{n+3}, n \ge 0\}$ iii) $L = \{a^i \ b^i \ c^k, j = i + k, i \ge 0, k \ge 0\}$ iii) $L = \{a^m \ b^n / m \ne n\}$ v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. $S \rightarrow A \ b \ B / A / B \qquad A \rightarrow a A / a \qquad B \rightarrow a \ B / b \ B / \epsilon.$ Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6 a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: $L = \{a^i \ b^j \ c^k / \ i + k = j, i \ge 0, k \ge 0\} \text{ and show the moves made by the PDA}$		C.	State the Pumping Lemma for the Regular Languages. And also prove that	8	L1	CO2
i) $L = \{0^n \ 1^m \   \ n \le m\}$   ii) $L = \{0^n \ 1^m \ 2^n \   \ n, m \ge 1\}$ .						
Module $-3$ Q.5 a. Design CFG for the following languages:       10 L3 CO3         i) L = {a^n b^{n+3}, n ≥ 0}       10 L2 CO3         ii) L = {a^i b^i c^k, j = i + k, i ≥ 0, k ≥ 0}       10 L2 CO3         iii) L = {a^m b^n / m ≠ n}       10 L2 CO3         v) Palinderomes over 0 and 1.       10 L2 CO3         S → A b B / A / B			i) $L = \{0^n \ 1^m \   \ n < m\}$ ii) $L = \{0^n \ 1^m \ 2^n \   \ n \ m > 1\}$ .		, , , , , , , , , , , , , , , , , , ,	
Q.5a.Design CFG for the following languages: i) $L = \{a^n b^{n+3}, n \ge 0\}$ ii) $L = \{a^i b^j c^k, j = i + k, i \ge 0, k \ge 0\}$ iii) $L = \{w / / w / \text{mod } 3 > 0 \text{ where } w \in \{a\}^*\}$ iv) $L = \{a^m b^n / m \ne n\}$ v) Palinderomes over 0 and 1.10L2CO3b.Consider the grammar G with productions. $S \rightarrow A b B / A / B$ , $A \rightarrow aA / \epsilon$ , $B \rightarrow a B / b B / \epsilon$ . Obtain LMD , RMD and parse tree for the string aaabab. Is the given grammar ambiguous?10L2CO3Q.6a.Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.4L1CO3b.Design PDA for the language: $L = \{a^i b^j c^k / i + k = j, i \ge 0, k \ge 0\}$ and show the moves made by the PDA10L3CO3		-	, 2 (0 1   11 = 11)	2		
<ul> <li>Q.5   a. Design CFG for the following languages: i) L = {a<sup>n</sup> b<sup>n+3</sup>, n ≥ 0} ii) L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup>, j = i + k, i ≥ 0, k ≥ 0} iii) L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup>, j = i + k, i ≥ 0, k ≥ 0} iii) L = {a<sup>m</sup> b<sup>n</sup> / m ≠ n} v) Palinderomes over 0 and 1.</li> <li>b. Consider the grammar G with productions. S → A b B / A / B, A → aA / ε; B → a B / b B / ε. Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?</li> <li>OR</li> <li>Q.6   a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.</li> <li>b. Design PDA for the language: L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA</li> </ul>			Module -3			l
<ul> <li>i) L = {a<sup>n</sup> b<sup>n+3</sup>, n ≥ 0}</li> <li>ii) L = {a<sup>i</sup> b<sup>i</sup> c<sup>k</sup>, j = i + k, i ≥ 0, k ≥ 0}</li> <li>iii) L = {w / /w / mod 3 &gt; 0 where w ∈ {a}**}</li> <li>iv) L = {a<sup>m</sup> b<sup>n</sup> / m ≠ n}</li> <li>v) Palinderomes over 0 and 1.</li> <li>b. Consider the grammar G with productions.</li> <li>S → A b B / A / B , A → aA / ε ; B → a B / b B / ε.</li> <li>Obtain LMD, RMD and parse tree for the string aaabab.</li> <li>Is the given grammar ambiguous?</li> <li>OR</li> <li>Q.6 a. Define the following with example: <ul> <li>i) Context free grammar</li> <li>ii) Left most Derivation</li> <li>iii) Parse tree</li> <li>iv) Ambiguous grammar.</li> </ul> </li> <li>b. Design PDA for the language: <ul> <li>L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA</li> </ul> </li> <li>10 L3 CO3</li> </ul>	0.5	a.	Design CFG for the following languages:	10	L3	CO3
ii) L = {a' b' c', j = i + k, i ≥ 0, k≥ 0}  iii) L = {w / /w / mod 3 > 0 where w ∈ {a}*}  iv) L = {a <sup>m</sup> b <sup>n</sup> / m ≠ n}  v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. S → A b B / A / B ; A → aA / ε ; B → a B / b B / ε.  Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6 a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: L = {a <sup>i</sup> b <sup>j</sup> c <sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA			i) $L = \{a^n b^{n+3}, n \ge 0\}$			
iii) $L = \{w / / w / \mod 3 > 0 \text{ where } w \in \{a\}^*\}$ iv) $L = \{a^m b^n / m \neq n\}$ v) Palinderomes over 0 and 1.  b. Consider the grammar G with productions. $S \to A \ b \ B / A / B$ ; $A \to aA / \epsilon$ ; $B \to a \ B / b \ B / \epsilon$ . Obtain LMD, RMD and parse tree for the string aaabab. Is the given grammar ambiguous?  OR  Q.6  a. Define the following with example: i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: $L = \{a^i \ b^j \ c^k / i + k = j, i \geq 0, k \geq 0\}$ and show the moves made by the PDA			ii) $L = \{a^i b^j c^k, j = i + k, i \ge 0, k \ge 0\}$			
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$						
<ul> <li>b. Consider the grammar G with productions. S → A b B / A / B ; A → aA / ε ; B → a B / b B / ε. Obtain LMD , RMD and parse tree for the string aaabab. Is the given grammar ambiguous?</li> <li>Q.6 a. Define the following with example :  i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.</li> <li>b. Design PDA for the language :  L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup> / i + k = j , i ≥ 0 , k ≥ 0} and show the moves made by the PDA</li> </ul>						
$S \rightarrow A \ b \ B \ / \ A \ / \ B \ / \ a \ B \ / \ b \ B \ / \ B \ $						
$S \rightarrow A \ b \ B \ / \ A \ / \ B \ / \ a \ B \ / \ b \ B \ / \ B \ $		b.	Consider the grammar G with productions.	10	L2	CO3
Obtain LMD , RMD and parse tree for the string aaabab. Is the given grammar ambiguous?   OR  Q.6 a. Define the following with example:  i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.  b. Design PDA for the language: $L = \{a^i \ b^j \ c^k / \ i + k = j \ , \ i \ge 0 \ , \ k \ge 0 \} \text{ and show the moves made by the PDA}$		, (				
Is the given grammar ambiguous?   OR  Q.6 a. Define the following with example:						
Q.6 a. Define the following with example :     i) Context free grammar ii) Left most Derivation     iii) Parse tree iv) Ambiguous grammar.  4 L1 CO3  b. Design PDA for the language :     L = $\{a^i b^j c^k / i + k = j, i \ge 0, k \ge 0\}$ and show the moves made by the PDA		*				
<ul> <li>Q.6 <ul> <li>a. Define the following with example: <ul> <li>i) Context free grammar</li> <li>ii) Left most Derivation</li> <li>iii) Parse tree</li> <li>iv) Ambiguous grammar.</li> </ul> </li> <li>b. Design PDA for the language: <ul> <li>L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA</li> </ul> </li> <li>10 L3 CO3</li> </ul></li></ul>						
<ul> <li>i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.</li> <li>b. Design PDA for the language:         L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA</li> </ul>			OR	•	•	
<ul> <li>i) Context free grammar ii) Left most Derivation iii) Parse tree iv) Ambiguous grammar.</li> <li>b. Design PDA for the language:         L = {a<sup>i</sup> b<sup>j</sup> c<sup>k</sup> / i + k = j, i ≥ 0, k ≥ 0} and show the moves made by the PDA</li> </ul>	Q.6	a.	Define the following with example:	4	L1	CO3
b. Design PDA for the language : $L = \{a^i b^j c^k / i + k = j, i \ge 0, k \ge 0\} \text{ and show the moves made by the PDA}$	_					
$L = \{a^i b^j c^k / i + k = j, i \ge 0, k \ge 0\}$ and show the moves made by the PDA						
$L = \{a^i b^j c^k / i + k = j, i \ge 0, k \ge 0\}$ and show the moves made by the PDA						
$L = \{a^i b^j c^k / i + k = j, i \ge 0, k \ge 0\}$ and show the moves made by the PDA		b.	Design PDA for the language:	10	L3	CO3
						,

	c.	Convert the following CFG's to PDA:	6	L2	CO3
	<b>c.</b>	$S \rightarrow a A$ ; $A \rightarrow a ABC/bB/a$ ; $B \rightarrow b$ ; $C \rightarrow c$ .			
		$S \rightarrow aA$ , $A \rightarrow aABC/OB/a$ , $B \rightarrow O$ ,			
		Module – 4			
Q.7	a.	Define CNF. Convert the following CFG to CNF	10	L2	CO4
Q.,	a.				
		$E \rightarrow E + T/T$			
		$T \rightarrow T * F / F$			
		$F \rightarrow (E)/I$			
		$I \rightarrow Ia / Ib / a / b$ .			
		1 - / 10 / 0 / 0 / 0 /			
		con an o (on an o (on an o (on an o (on o o o o o o o o o o o o o o o o	4	L2	CO4
	b.	Show that $L = \{0^n 1^n 2n / n \ge 1\}$ is no context free.	7		CO4
	c.	Prove that the family of context free languages is closed under union and	6	L1	CO4
	١.				
		concatenation.			
	-	OR			
Q.8	a.	Define Greibach Normal Form. Convert the following CFG to GNF.	6	L2	CO4
Q.o	a.				180 0 1
		$S \rightarrow AB$ ; $A \rightarrow aA/bB/b$ ; $B \rightarrow b$ .			
			4.0	7.0	COA
	b.	Consider the following CFG:	10	L3	CO4
		$S \rightarrow ABC/BaB$			
		$A \rightarrow aA/BaC/aaa$			
		$B \rightarrow bBb / a / D$			
		$C \rightarrow CA / AC$			
		$D \rightarrow \varepsilon$			
		i) What are useless symbols?			
		1) What are useless symbols!			
		ii) Eliminate $\varepsilon$ - productions, Unit productions and useless symbols from		11 50	
	1	the grammar.			
	-	Prove that the following languages are not context free.	4	L2	CO3
	c.	2			
		i) $L = \{ai / i \text{ is prime}\}$ ii) $L = \{a^{n^2} / n \ge 1\}$ .	ŀ		
		Ca			
		Module – 5			
			6	L1	CO4
Q.9	a.	Define a turing machine and explain with neat diagram, the working of a			001
		basic turing machine.			
	L	Design a Turing machine to accept the language, $L = \{a^n b^n c^n / n \ge 1\}$ .	14	L4	CO4
ľ	D.	Design a furning machine to accept the tanguage, 2 (w o o o o o o o o o o o o o o o o o o			
	1	Draw the transition diagram and show the moves for the string aabbcc.			
	7				
		OR			
0.10		1: 1 de limite aven (a h) and draw the	12	L4	CO5
Q.10	a.				
		transition diagram.			
	b.	Write a short notes on :	8	L1	CO5
	D.				
		i) Recursively Enumerable Language.			1
1		ii) Multitape Turing Machine.			
		Ca			



### CBCS SCHEME

USN						Question Paper Version:	D

# Fifth Semester B.E./B.Tech. Degree Examination, Dec.2024/Jan.2025

E	Environmental Studies	and E - W	aste Ma	nagement
ime:	1 hr.]			[Max. Marks: 50
	INSTRUCTION	STO THE	TANDIDAT	FS
	INSTRUCTION	S TO THE C	JANDIDAI	*ES
1.	Answer all the <b>fifty</b> questions, each	question carrie	s one mark.	
2.	Use only Black ball point pen for v	vriting / darker	ning the circle	es.
3.	For each question, after selecting	your answer,	darken the	appropriate circle
	corresponding to the same question	n number on	the OMR sh	eet.
4.	Darkening two circles for the same of	question makes	the answer i	nvalid.
5.	Damaging/overwriting, using w	hiteners on	the OMR	sheets are strictly
	prohibited.	*		•
1.	What is the Dissolved oxygen value rec	united for the su	rvival of aqua	tic species?
1.	a) 7 mg/L b) 8.2 mg/L	c) 6.5 mg		d) 4 mg/L
2.	Which among the following is used to a) Land fills b) Ocean	dump the waste c) River		e cities? d) All of these
3.	Which type of waste includes items suc a) Hazardous waste c) Bio – medical waste	b) Organ	od, fruit peels iic waste onic waste	and yard trimmings?
4.	Which of the integrated waste manager a) Source Reduction b) Recycling	nent is reduced c) Dispo		al level? d) Burning
5.	What is called for the process of burn furnace under suitable temperature and a) Landfill b) Recycling	operating cond	itions?	a properly designed d) Incineration
6.	The process of decomposition of biode a) Landfill b) Vermicompo			vorms is called d) Shredding
7.	a) Leachate b) Sludge	d waste and ext c) Distille	_	ed impurities from it d) Municipal
8.	The colour code of plastic bag for disposal black b) red	osing of microb c) blue		culture waste d) white
9.	Average hospital waste produced per b a) 1.5 to 2 kg b) 0.5 – 4 kg	ed per day in Go c) 0.5 to		pital is d) $0.5 - 2 \text{ kg}$

10.	Which of the following are the main contributors of the e –waste in the world?  I. Refrigerators / freezers, washing machines, dishwashers.  II. Small household appliances  III. Personal computers, telephones, laptops, printers.  IV. Gas cylinders, chimneys and home appliances  a) Only I, II, III b) Only I & II c) Only I, III, IV d) All of these
11	
11.	Which of the following conceptual spheres of the environment is having the least storage capacity for matter?  a) Atmosphere b) Lithosphere c) Hydrosphere d) Biosphere
12.	The ratio between energy flows at different points in a food chain is known as a) Ecological capacity b) Ecological efficiency c) Ecological assimilation d) Ecological potential
13.	A predator is  a) An animal that is fed upon another animal  b) Animal that feeds upon both plants and animals
	<ul><li>c) An animal that feeds upon another animal</li><li>d) A primary consumer</li></ul>
14.	<ul> <li>Why Rann of Kutch attracts aquatic birds in monsoon season?</li> <li>a) Because desert land is converted to forest land</li> <li>b) Because desert land is converted to snow</li> <li>c) Because desert land do not convert</li> <li>d) Because desert land is converted to salt marshes</li> </ul>
15.	Which kind of soil we can find on the surface of Thar desert?  a) Rocky  b) Moist  c) Fertile  d) Aeolian
16.	Which of the following type of forest important for watersheds?  a) Tropical Evergreen forests b) Tropical Deciduous forests c) Tropical Montana forests d) Grassland forest
17.	Hot spots areas have  a) Low density of biodiversity b) Only endangered plants c) High density of hot springs d) High density of biodiversity
18.	Sustainable Development means <ul> <li>a) meeting present needs without compromising on future needs</li> <li>b) progress of human beings</li> <li>c) balance between human needs and the ability of earth to provide the resources</li> <li>d) all of these</li> </ul>
19.	The term Alpha diversity refers to  a) Genetic diversity  b) Community and ecosystem diversity  c) Species diversity within a community or ecosystem  d) Diversity among the plant
20.	Algae, green plants and photosynthetic bacteria are a) Autotrophic b) Heterotrophic c) Decomposers d) Consumers

				1 media - 2		
21.	What is Extended Proin India?			(A)	aste 1	management rules
	<ul><li>a) The responsibility</li><li>b) The responsibility cycle</li></ul>				out t	the product life
	<ul><li>c) The responsibility</li><li>d) The responsibility</li></ul>				4	9
22.	Which international waste, including e - va) Kyoto Protocol c) Montreal Protoco	waste?	b)	transboundary mo Paris agreement Basel convention	veme	ents of hazardous
23.	Which colour bin is u a) Blue	used for e – waste? b) Green	c)	Yellow	d)	Black
24.	What are the health ha) Lung cancer	azards which can be b) DNA damage	Sc. London	d by E – waste? Brain	d)	All of these
25.	Preparation of Guide assigned to a) Producer	lines for Environmer b) Consumer		sound Managemen MOEFCC		e – waste is a duty  SP CB/PCC
26.	What is India's globa a) 3	al rank in e –waste? b) 13	c)	23	d)	33
27.	When did the Karna		Cont	rol Board for pre	venti	on and control of
	water pollution const a) 1974	b) 1978	(c)	1982	d)	1986
28.	Aerosol consisting of a) Mist	f liquid droplets is call b) Dust	lled as c)	Fog	d)	Aerosol
29.	<ul><li>Which of the following</li><li>a) Factories</li><li>c) Urban and subur</li></ul>			water pollution? Sewage treatment All of these	plan	ıt ·
30.	When is World Wate a) January 26 <sup>th</sup>	r day celebrated? b) June 5 <sup>th</sup>	c)	September 22 <sup>nd</sup>	d)	March 22 <sup>nd</sup>
31.	is caused by d	rinking water high in	nitrat	es.		
	<ul><li>a) Cholera</li><li>c) Liver problem</li></ul>	, 6,		Kidney problem Methomoglobinen	nia	
32.	Bhopal gas tragedy to a) 1964, Hydrogen f c) 1984, methyl ISO	luoride	b)	and the gas respons 1974, Methyl chlo 1994, Methyl sulp	ride	
33.	The major chemical particle a) NO, NO <sub>2</sub> , VOC, c) NO, NO <sub>2</sub> , VOC,	$O_3$ , PAN $O_2$ , PAN	b)	N <sub>2</sub> O , NO <sub>2</sub> , VOC NO, N <sub>2</sub> O <sub>5</sub> , VOC		

34.	The international protocol to protect the Oz		988		
	a) Vienna protocol	b)	Kyoto protocol		
	c) Cartagena protocol	d)	Montreal protocol		
35.	Which is the best and the worst method of	plum	e behavior for pollu	utior	dispersion?
	a) Lofting and fumigation	b)	11 0		<u>-</u>
	c) Conning and fumigation	d)	Fanning and Loft	ing	
36.	What is called for a Temporary hearing loss	<b>s</b> ?	J.	45	
	a) Temporary ear pain	b)	Temporary hearing	ng pi	oblem
	c) Temporary threshold shift	d)	Temporary heari		
27	What timings land analysis the ldu't	1	1-1:		
37.	What timings loud speakers shouldn't use i a) 10.00 pm to 5.00 am	n pui b)	11.00 pm to 6.00 a	am	
	c) 1.00 am to 7.00 am	d)	10.00 pm to 6.00		
38.	In which section, if a person violates the no			s, i	s liable for penalty
	according to Environmental Protection Act a) Section 12 b) Section 15		Section 18	4)	Section 19
	a) Section 12 b) Section 15	6)	Section 18	u)	Section 19
<b>39.</b>	'Minamata Disease" is caused due to	7			
	a) Lead b) Arsenic	c)	Mercury	d)	Cadmium
40.	The process of reducing the fluoride conten	t fro	m water is called as	,	
70.	a) Chlorination		Fluoridation	) /	
	c) Defluoridation	/	Fanning and Lofti	ng	
44	77.11	A 9			
41.	Veld type grasslands are located at  a) South Africa  b) South America	2)	Australia	47	Duitain
	a) South Africa b) South America	c)	Australia	d)	Britain
42.	Which pyramid is always upright?		a de la constitución de la const		
	a) Energy b) Biomass	c)	Numbers	d)	Food chain
43.	In what form is solar energy is radiated from	n the	Sun2		
	a) Ultraviolet Radiation		Infrared Radiation		
	c) Electromagnetic waves	d)	Transverse waves		
44.	What does MUD stands for in the energy fi	~140			
44.	What does MHD stands for in the energy fig a) Magneto Hydro Dynamic	b)	Metal Hydrogen D	etos	7
	c) Micro Hybrid Drive	d)	Metering Head Di		
	19		_	16	
45.	The 'Miracle Material' that can turn CO <sub>2</sub> in		-	-15	D
	a) Propane b) Copper	c)	Graphene	d)	Potassium
46.	A tide whose difference between high and le	ow ti	ide is greatest.		
	a) Diurnal tide b) Neap tide	c)	Spring tide	d)	Ebb tide
47.	Which of the turbing can be mounted vertice	011.	and harizantally		
<b>-</b> 1/.	Which of the turbine can be mounted vertical a) Pelton wheel b) Kaplan turbine	•	Gorlov turbine	d)	Francis turbine
	-)	-,		)	

- **48.** Which type of fuel is removed from the reactor core after reaching end of core life service?
  - a) Burnt fuel
- b) Spent fuel
- c) Engine oil
- d) Radioactive fuel

- **49.** What is a fuel cell?
  - a) Converts heat energy to chemical energy
  - b) Converts heat energy to electrical energy
  - c) Converts chemical energy to electrical energy
  - d) Converts kinetic energy to heat energy
- **50.** Which one of the following is the apex organization in our country in the field of pollution control?
  - a) Water Pollution Control Board
- b) State Pollution Control Board
- c) Central Pollution Control Board
- d) Air Pollution Control Board



USN												BCS515B
-----	--	--	--	--	--	--	--	--	--	--	--	---------

### Fifth Semester B.E./B.Tech. Degree Examination, Dec.2024/Jan.2025 Artificial Intelligence

Time: 3 hrs.

Max. Marks: 100

Q.1   a. Define the following: i) Intelligence ii) Artificial Intelligence iii) Agent iv) Rationality v) Logical reasoning.    b. Examine the AI literature to discover whether the following tasks can currently be solved by computers.   i) Playing a decent game of table tennis (ping-pong)     ii) Discovering and proving new mathematical theorems     iii) Giving competent legal advice in a specialized area of law     iv) Performing a complex a surgical operation.    c. Implement a simple reflex agent for the vacuum environment. Run the environment with this agent for all possible initial dirt configurations and agent locations. Record the performance score for each configuration and the overall score.    OR		Module – 1	M	L	C
currently be solved by computers.  i) Playing a decent game of table tennis (ping-pong) ii) Discovering and proving new mathematical theorems iii) Giving competent legal advice in a specialized area of law iv) Performing a complex a surgical operation.  c. Implement a simple reflex agent for the vacuum environment. Run the environment with this agent for all possible initial dirt configurations and agent locations. Record the performance score for each configuration and the overall score.  OR  Q.2 a. Is AI a science, or is it engineering or neither or both? Explain.  b. Write pseudocode agent programs for the goal based and utility based agents.  c. For each the following activities give a PEAS description. i) Playing a tennis match ii) Performing a high jump iii) Bidding on an item in an auction.  Module -2  Q.3 a. Explain why problem formulation must follow goal transformation.  5 L  b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented. i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color. ii) A 3 - foot - tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.  c. Prove each of the following statements or given counter example: i) Breadth - first search is a special case of uniform - cost search.	).1	Define the following: i) Intelligence ii) Artificial Intelligence iii) Agent iv) Rationality		L2	CO1
currently be solved by computers.  i) Playing a decent game of table tennis (ping-pong)  ii) Discovering and proving new mathematical theorems  iii) Giving competent legal advice in a specialized area of law  iv) Performing a complex a surgical operation.  c. Implement a simple reflex agent for the vacuum environment. Run the environment with this agent for all possible initial dirt configurations and agent locations. Record the performance score for each configuration and the overall score.  OR  Q.2 a. Is AI a science, or is it engineering or neither or both? Explain.  b. Write pseudocode agent programs for the goal based and utility based agents.  c. For each the following activities give a PEAS description.  i) Playing a tennis match  ii) Performing a high jump  iii) Bidding on an item in an auction.  Module -2  Q.3 a. Explain why problem formulation must follow goal transformation.  5 L  b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented.  i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color.  ii) A 3 - foot - tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.  c. Prove each of the following statements or given counter example:  i) Breadth - first search is a special case of uniform - cost search.		Examine the AI literature to discover whether the following tasks can	Q	1.2	CO1
environment with this agent for all possible initial dirt configurations and agent locations. Record the performance score for each configuration and the overall score.  OR  Q.2 a. Is AI a science, or is it engineering or neither or both? Explain.  b. Write pseudocode agent programs for the goal based and utility based agents.  c. For each the following activities give a PEAS description.  i) Playing a tennis match ii) Performing a high jump iii) Bidding on an item in an auction.  Module - 2  Q.3 a. Explain why problem formulation must follow goal transformation.  5 L  b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented. i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color. ii) A 3 - foot - tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.  c. Prove each of the following statements or given counter example: i) Breadth - first search is a special case of uniform - cost search.	1	<ul> <li>currently be solved by computers.</li> <li>i) Playing a decent game of table tennis (ping-pong)</li> <li>ii) Discovering and proving new mathematical theorems</li> <li>iii) Giving competent legal advice in a specialized area of law</li> <li>iv) Performing a complex a surgical operation.</li> </ul>			
<ul> <li>Q.2 a. Is AI a science, or is it engineering or neither or both? Explain.</li> <li>b. Write pseudocode agent programs for the goal based and utility based agents.</li> <li>c. For each the following activities give a PEAS description.  i) Playing a tennis match  ii) Performing a high jump  iii) Bidding on an item in an auction.</li> <li>7 L.  Module – 2</li> <li>Q.3 a. Explain why problem formulation must follow goal transformation.</li> <li>b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented.  i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color.</li> <li>ii) A 3 – foot – tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.</li> <li>c. Prove each of the following statements or given counter example:  i) Breadth – first search is a special case of uniform – cost search.</li> </ul>		environment with this agent for all possible initial dirt configurations and agent locations. Record the performance score for each configuration and the overall score.	7	L3	CO1
b. Write pseudocode agent programs for the goal based and utility based agents.  c. For each the following activities give a PEAS description.  i) Playing a tennis match ii) Performing a high jump iii) Bidding on an item in an auction.  Module – 2  Q.3 a. Explain why problem formulation must follow goal transformation.  5 L.  b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented. i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color. ii) A 3 – foot – tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.  c. Prove each of the following statements or given counter example: i) Breadth – first search is a special case of uniform – cost search.			_		
c. For each the following activities give a PEAS description.  i) Playing a tennis match ii) Performing a high jump iii) Bidding on an item in an auction.   Module – 2  Q.3 a. Explain why problem formulation must follow goal transformation.  5 L.  b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented. i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color. ii) A 3 – foot – tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.  c. Prove each of the following statements or given counter example: i) Breadth – first search is a special case of uniform – cost search.	2.2	Is AI a science, or is it engineering or neither or both? Explain.	5	L2	CO
i) Playing a tennis match ii) Performing a high jump iii) Bidding on an item in an auction.  Module – 2  Q.3 a. Explain why problem formulation must follow goal transformation.  5 L.  b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented. i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color. ii) A 3 – foot – tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.  c. Prove each of the following statements or given counter example: i) Breadth – first search is a special case of uniform – cost search.			8	L1	CO
<ul> <li>a. Explain why problem formulation must follow goal transformation.</li> <li>b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented. <ol> <li>i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color.</li> <li>ii) A 3 - foot - tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.</li> </ol> </li> <li>c. Prove each of the following statements or given counter example: <ol> <li>i) Breadth - first search is a special case of uniform - cost search.</li> </ol> </li> </ul>		<ul><li>i) Playing a tennis match</li><li>ii) Performing a high jump</li><li>iii) Bidding on an item in an auction.</li></ul>	7	L1	CO
<ul> <li>b. Give complete problem formulation for each of the following choose a formulation that is precise enough to be implemented. <ol> <li>i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color.</li> <li>ii) A 3 – foot – tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.</li> </ol> </li> <li>c. Prove each of the following statements or given counter example: <ol> <li>i) Breadth – first search is a special case of uniform – cost search.</li> </ol> </li> </ul>				T + 4	00
formulation that is precise enough to be implemented.  i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color.  ii) A 3 - foot - tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high crates.  c. Prove each of the following statements or given counter example:  i) Breadth - first search is a special case of uniform - cost search.	2.3	49 ALY		LI	СО
i) Breadth – first search is a special case of uniform – cost search.		<ul> <li>formulation that is precise enough to be implemented.</li> <li>i) Using only four colors, you have to color a planar graph in such a way that no two adjacent regions have the same color.</li> <li>ii) A 3 - foot - tall monkey is in a room where some bananas are suspended from the 8-foot ceiling. He would like to get the bananas. The room contains two stackable, moveable, climbable 3-foot high</li> </ul>		L2	CO
	4"	i) Breadth – first search is a special case of uniform – cost search.	7	L2	CO

		OR			
Q.4	a.	Define the following terms with example.  i) State space ii) Search node iii) Transition model iv) Branching factor.	8	L2	CO2
	b.	Show that the 8-puzzle states are divided in to two disjoint sets, such that any state is reachable from any other state in the same set, while no state is reachable from any state in the other set. Devise a procedure to decide which set a given state is in and explain why this is useful for generating random state.	7	L2	CO2
24	c.	Describe a state space in which iterative deepening search performs much worse than depth first search for example, $O(n^2)Vs\ O(n)$ .	5	L2	CO2
		Module – 3			
Q.5	a.	Devise a state space in which A* using GRAPH-SEARCH returns a suboptimal solution with h(n) function that is admissible but inconsistent.	7	L2	CO3
	b.	Which of the following are correct?  i) $(A \lor B) \land (\neg C \lor \neg D \lor E)F(A \lor B)$ ii) $(A \lor B) \land (\neg C \lor \neg D \lor E)F(A \lor B) \land (\neg D \lor E)$ iii) $(A \lor B) \land \neg (A \Rightarrow B)$ is satistiable  iv) $(A \Leftrightarrow B) \Leftrightarrow C$ has the same number of models as $(A \Leftrightarrow B)$	8	L1	CO3
7	c.	Consider a vocabulary with only four propositions, A, B, C and D. How many models are there for the following sentences?  i) $B \lor C$ ii) $\neg A \lor \neg B \lor \neg C \lor \neg D$ iii) $(A \Rightarrow B) \land A \land \neg B \land C \land D$ .	5	L1	CO3
		OR OR			
Q.6	a.	Prove that if a heuristic is consistent, it must be admissible. Construct an admissible heuristic that is not consistent.	8	L1	CO3
	b.	Prove each of the following assertions:  i) $\alpha = \beta$ if and only if the sentence ( $\alpha \Leftrightarrow \beta$ ) is valid  ii) $\alpha \neq \beta$ if and only if the sentence $\alpha \land \neg \beta$ ) is unsatisfiable.	7	L1	CO3
ł	c.	Prove, or find a counter example to each of the following assertions.  i) If $\alpha \neq (\beta \land \gamma)$ then $\alpha \neq \beta$ and $\alpha \neq \gamma$ ii) If $\alpha \neq (\beta \lor \gamma)$ then $\alpha \neq \beta$ and $\alpha \neq \gamma$ (or) both	5	L1	CO3
	-	Module – 4			
Q.7	a.	Which of the following are valid necessary true sentences? i) $(\exists x \ x = x) \Rightarrow (\forall y \exists z \ y = z)$ ii) $\forall x \ P(x) \lor \neg p(x)$ iii) $\forall x \ smart(x) \lor (x = x)$	7	L1	CO4
	b.	Prove that universal Instantiation is sound that existential instanticition produces an inferentially equivalent knowledge base.	5	L1	CO4

	c.	Write down logical representations for the following sentences, suitable for use with generalized modulus ponens:  i) Horses, cows and pigs are mammals ii) Bluebeard is Charlie's parent	8	L1	CO4
		iii) Offspring and parent are inverse relations			15
		OR			
Q.8	a.	Consider a knowledge base containing just two sentence; $P(a)$ and $P(b)$ does this knowledge base entail $\forall x P(x)$ ? Explain your answer interms of models.	5	L2	CO4
	b.	Suppose a knowledge base contains just one sentence, ∃xAsHighAs(x.Everest) which of the following are legitimate results of applying existential instantiation?  i) AsHighAs(Kilimanjaro, Everest)  ii) AsHighAs(Kilimanjaro, Everest) ∧ AsHighAs (Benvevis, Everest)	8	L2	CO4
	c.	Explain how to write any 3-SAT problem of arbitrary size using a single first order definite clause and no more than 30 ground facts.	7	L2	CO4
		Module – 5		1	
Q.9	a.	<ul> <li>i) Give a backward chaining proof of the sentence 7 ≤ 3 + 9. Show only the steps that leads to success</li> <li>ii) Give a forward chaining proof of the sentence 7 ≤ 3 + 9. Show only the steps that leads to success.</li> </ul>	8	L1	CO5
	b.	Describe the differences and similarities between problem solving and planning.	5	L2	CO5
	c.	Prove that backward search with PDDL problems is complete.	.7	L1	CO5
	,	OR			
Q.10	a.	The following prolog code defines a predicate P P(x, [x y]), P(x, [y z]):- P(x, z) i) Show proof trees and solutions for the queries P(A, [2, 1, 3]) and P(z,[1, A, 3]) ii) What standard list operation does P represent?	8	L1	CO5
	b.	Explain why dropping negative effects from every action schema in a planning problem results in a relaxed problems.	5	L2	CO5
	c.	Prove the following assertions about planning graphs:  i) A literal that does not appear in the final level of the graph connot be achieved.  ii) The level cost of a literal in a serial graph is no greater than the actual cost of an optimal plan for achieving it.	7	L1	CO5

3 of 3



USN						
CDIT	1		1	1	1	

## Fifth Semester B.E./B.Tech. Degree Examination, Dec.2024/Jan.2025 UNIX System Programming

Time: 3 hrs. Max. Marks: 100

		2. M: Marks, L: Bloom's level, C: Course outcomes.			
		Module -1	M	L	C
Q.1	a.	Explain the Kernel and Shell relationship in UNIX operating system with a	10	L1	CO1
		neat diagram.			
	b.	Explain the following UNIX commands with syntax and examples:	10	L2	CO1
		i) who ii) ls iii) passwd iv) echo v) date			
		OR			
Q.2	a.	Explain any five file related commands with syntax and example of each.	10	<b>L2</b>	CO1
	b.	Explain the salient features of UNIX operating system.	04	L1	CO1
	c.	Explain the file types or categories.	06	L2	CO1
		Module − 2			
Q.3	a.	Explain the use of chmod command to change file permission using both	10	<b>L2</b>	CO2
		absolute and relative methods.			
	b.	Explain ls commands with all the options and examples.	10	L2   L2   L2   L2   L3   L2   L2   L3   L2   L2	CO <sub>2</sub>
		OR			
Q.4	a.	Explain grep commands with all its options.	10	L2	CO2
	b.	Explain three standard files in UNIX.	06	L2	CO <sub>2</sub>
	c.	Explain the steps of shell interpretive cycle.	04	L2   L2   L2   L2   L3   L2   L2   L3   L2   L2	CO <sub>2</sub>
		Module – 3			
Q.5	a.	Explain POSIX and SUS (Single UNIX Specification) standards.	04	L2	CO3
	b.	Develop a C program to demonstrate the use of open() and read() system	10	L3	CO3
		call in UNIX.			
	c.	Explain the use of mkdir() and rmdir() function in managing directories.	06	L2	CO <sub>3</sub>
		OR			
Q.6	a.	Differentiate between character special files and block special files.	06	L2	CO3
	b.	Develop a c program to demonstrate the chdir() and fchdir() functions in	10	L3	CO3
		UNIX.			
	c.	Explain the memory layout of a C program in UNIX.	04	L2	CO <sub>3</sub>
		Module – 4			
Q.7	a.	Develop both the fork and vfork function in a example program.	10	L3	CO4
	b.	Explain briefly with an example two system v IPC mechanism:	10	L2	CO4
		i) Message Queues ii) Semaphores		L1   L2   L2   L2   L3   L2   L2   L3   L2   L2	
		OR			1
Q.8	a.	Explain pipes and its limitations upon developing a program to send data	10	L2	CO4
		from parent to child over a pipe.		-	
	b.	Explain the client server communication using FIFO with a neat diagram.	10	L2	CO4
		Module – 5			·
Q.9	a.	Illustrate signal in UNIX and develop program to setup signal handlers for	10	L3	CO5
		sigsetsmp() and ·abort().			
y	b.	Explain Daemon process by developing program to transform a normal user	10	L3	CO5
		into a Daemon process.			
		OR			
Q.10	a.	Explain implement SIGPROCMASK and SIGCONGJMP functions with	10	L2	CO5
		examples.			
	b.	Explain coding rules and error logging for Daemon process with neat	10	<b>L2</b>	CO5



USN												BRMK557
-----	--	--	--	--	--	--	--	--	--	--	--	---------

### Fifth Semester B.E./B.Tech. Degree Examination, Dec.2024/Jan.2025 Research Methodology and IPR

Time: 3 hrs.

Max. Marks: 100

	(8)	Pro- parameter			
		Module – 1	M	L	C
Q.1	a.	Identify the meaning of Research and brief out the objective and motivation	10	L1	CO1
		in engineering research.			
	b.	Explain brief about research cycle and verify with the research flow	10	L1	CO1
		diagram.			
		OR			
Q.2	a.	Identify the types of engineering research and briefly explain them.	10	L1	CO1
	b.	Explain about the different types of research misconduct.	10	L1	CO1
		Module – 2			
Q.3	a.	Explain about the importance of literature review and technical reading.	10	L2	CO2
	b.	Mention the various benefits of bibliographic databases.	10	L1	CO2
		OR			
Q.4	a.	Indentify the impact of technical reaction and brief about it.	10	L1	CO2
	b.	Enumerate the impact of title and keywords on citation with example.	10	L2	CO2
	-	Module – 3			
Q.5	a.	Define Intellectual properties and explain about its types.	10	L1	CO3
	b.	Explain about the key aspect of patent law.	10	L2	CO3
	-	OR	_		
Q.6	a.	Explain about the assessment of novelty.	10	L1	CO3
	14				
~	b.	Brief about the patent procedure in India.	10	L1	CO4
	7				
		Module – 4			
Q.7	a.	Mention and brief about the justification for copyright law.	10	L2	CO4
				2.	
	b.	Explain about the basic concepts of under lying copyright law.	10	L1	CO4
		OR			
Q.8	a.	Brief about the various representations of sound recordings.	10	L2	CO5
V.0	a.				X
	b.	Explain about TRIPS agreement in detail.	10	L1	CO5
	В.	Diplant acoust 1101 o agreement in 1101			,
	1	£			

		Module – 5			
Q.9	a.	Explain about the justification of protection designs.	10	L2	CO5
Q.9	a.	Explain about the justification of protection designs.	120		
	b.	Brief about the excluded subjected matter in the context of design	10	L1	CO5
		protection.			
		OR	10	T 4	005
Q.10	a.	What are the rights of the owner of designs? Explain.	10	L1	CO5
	b.	Brief about the Assignment of Design Rights.	10	L1	CO5
	υ.	Brief about the Assignment of Design regins.	10		000