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BCS/BAD/BAI301

Third Semester B.E./B.Tech. Degree Supplementary Examination, June/July 2024

Mathematics – III for CSE Stream

Time: 3 hrs.

Max. Marks: 100

- Note: 1. Answer any FIVE full questions, choosing ONE full question from each module.
2. Statistical tables and Mathematics Formula Hand Book are permitted.
3. M : Marks, L: Bloom's level, C: Course outcomes.*

Module – 1								M	L	C																
Q.1	a.	A random variable X has the following probability function for various values of x.						06	L2	CO1																
		X	-3	-2	-1	0	1				2	3														
		P(X = x)	k	2k	3k	4k	3k				2k	k														
		i) Find the value of k. ii) Find mean and variance and standard deviation.																								
	b.	During a laboratory experiment, the average number of radioactive particles passing through a counter in 1 milli second is 4, using Poisson distribution, find the probability that : i) 6 particles enter the counter in a given millisecond ii) at least 2 particles enter the counter in a given millisecond iii) at most 3 particles enter the counter in a given millisecond.						07	L2	CO2																
	c.	The life of a tube manufactured by a company is known to have mean 200 months. Assuming that the life of tube has an exponential distribution, find the prob that the life of a tube manufactured by a company is i) less than 200 months ii) between 100 and 300 months iii) more than 200 months.						07	L3	CO2																
OR																										
Q.2	a.	A random variable X has the p.d.f $f(x) = \begin{cases} K(1-x^2) & \text{for } 0 < x < 1 \\ 0 & \text{otherwise} \end{cases}$ i) Find K ii) Find P(0.1 < x < 0.2) iii) P(x > 0.5)						06	L2	CO1																
		b. Find mean and variance of Binomial distribution.																								
	c.	A manufacturer of air-mail envelopes knows from experience that the weight of the envelopes is normally distributed with mean 1.95gm and S.D 0.05gm. About how many envelops weighing. i) 2 gm or more ii) 2.05 gm or more iii) between 2 and 2.5 gm. In a lot of 100 envelops (Given A(1) = 0.3413 , A(2) = 0.4772)						07	L3	CO2																
Module – 2																										
Q.3	a.	The joint distribution of two r.vs X and Y is as follows :						06	L2	CO2																
		<table><tr><td>Y</td><td>-4</td><td>2</td><td>7</td></tr><tr><td>X</td><td></td><td></td><td></td></tr><tr><td>1</td><td>1/8</td><td>1/4</td><td>1/8</td></tr><tr><td>5</td><td>1/4</td><td>1/8</td><td>1/8</td></tr></table>				Y	-4				2	7	X				1	1/8	1/4	1/8	5	1/4	1/8	1/8		
		Y	-4	2	7																					
X																										
1	1/8	1/4	1/8																							
5	1/4	1/8	1/8																							
Compute the following : i) E(X) and E(Y) ii) E(XY) iii) COV(X, Y)																										

	b.	Prove that the Markov chain whose t.p.m. is $P = \begin{bmatrix} 0 & 2/3 & 1/3 \\ 1/2 & 0 & 1/2 \\ 1/2 & 1/2 & 0 \end{bmatrix}$ is irreducible. Find the corresponding stationary probability vector.	07	L2	CO3
	c.	A standard study habits are as follows. If he studies one night, he is 70% sure not to study the next night.. On the other hand if he does not study one night, he is 60% sure not study the next night. In the long run how often does he study?	07	L3	CO3

OR

Q.4	a.	Suppose X and Y are independent random variables, X takes values 2, 5, 7 with probability $\frac{1}{2}$, $\frac{1}{4}$, $\frac{1}{4}$ respectively. Y takes values 3, 4, 5 with probability $\frac{1}{3}$, $\frac{1}{3}$, $\frac{1}{3}$. i) Find the joint probability distribution of X and Y. ii) Show that $\text{COV}(X, Y)$ is equal to zero.	06	L2	CO1
	b.	Explain Regular Stochastic matrix. Show that the matrix $\begin{bmatrix} 1 & 1 & 0 \\ 1/2 & 0 & 1/2 \\ 1/2 & 1/4 & 1/4 \end{bmatrix}$ is a regular stochastic matrix.	07	L2	CO3
	c.	A gambler's luck follows a pattern. If he wins a game, the probability of winning the next game is 0.6. However if he loses a game, the probability of losing the next game is 0.7. There is an even chance of gambler winning the first game. If so, i) What is the probability of he winning the second game. ii) What is the probability of he winning the third game.	07	L3	CO3

Module – 3

Q.5	a.	Explain the following terms: i) Null hypothesis ii) Hypothesis iii) Level of significance	06	L1	CO2
	b.	A die is thrown 9000 times and a throw of 3 or 4 was observed 3240 times. Show that the die cannot be regarded as an unbiased one at 5% l.o.s.	07	L3	CO3
	c.	A machine part out 16 defective articles in a sample of 500. After the machine is repaired, it put out 3 defective articles in a sample of 100. Has the machine been improves? Test at hypothesis level of significance.	07	L3	CO3

OR

Q.6	a.	Define : i) Test of significance ii) Critical region of a statistical test iii) Confidence interval	06	L1	CO4
	b.	A sample of 100 days is taken from metrological records of a certain district and 10 of them are found to be foggy. What are the probable limits of the percentage of foggy days in the district? Test at 1% significance level.	07	L3	CO4
	c.	In a city A, 20% of a random sample of 900 school boys had a certain slight physical defect. In another city B, 18.5% of a random sample of 1600 school boys had the same defect. Is the difference between the proposing significant? Test at 5% significance level.	07	L3	CO4

Module – 4

Q.7	a.	An unknown distribution has a mean of 45 and a S.D. of 8, samples at size 30 are drawn randomly from the population. Find the probability that the sample mean is between 42 and 50. (Given $A(2.053) = 0.4798$, $A(3.42) = 0.4997$)	06	L2	CO5
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	b.	A group of boys and girls are given an intelligence test. The mean score, S.D. score and no. in each group are as follows: <table><tr><td></td><td>Boys</td><td>Girls</td></tr><tr><td>Mean</td><td>124</td><td>121</td></tr><tr><td>S.D</td><td>12</td><td>10</td></tr><tr><td>n</td><td>18</td><td>14</td></tr></table> Is the mean score of boys significantly different from that of girls? (Given $t_{0.05}(df = 30) = 2.04$)		Boys	Girls	Mean	124	121	S.D	12	10	n	18	14	07	L3	CO5																																						
	Boys	Girls																																																					
Mean	124	121																																																					
S.D	12	10																																																					
n	18	14																																																					
	c.	A die is thrown 60 times and the frequency distribution for the number appearing on the face x is given by the following table: <table><tr><td>x</td><td>1</td><td>2</td><td>3</td><td>4</td><td>5</td><td>6</td></tr><tr><td>Frequency</td><td>15</td><td>6</td><td>4</td><td>7</td><td>11</td><td>17</td></tr></table> Test the hypothesis that the die is unbiased. Given $\chi^2_{0.05}(df = 5) = 11.07$	x	1	2	3	4	5	6	Frequency	15	6	4	7	11	17	07	L3	CO4																																				
x	1	2	3	4	5	6																																																	
Frequency	15	6	4	7	11	17																																																	
OR																																																							
Q.8	a.	A random sample of 1000 men from North India shows that their mean wage is Rs. 5 per day with a S.D of Rs.1.50. A sample of 1500 men from South India gives a mean wage of Rs. 4.50 per day with a S.D of Rs.2. Does the mean rate of wages varies as between the two regions. (Test at 5% l.o.s.)	06	L2	CO5																																																		
	b.	A certain stimulus administered to each of the 12 patients resulted in the following change in blood pressure 5, 2, 8, -1, 3, 0, 6, -2, 1, 5, 0, 4. Can it be concluded that the stimulus will increase the blood pressure? ($t_{0.05}$ for 11 d.f = 2.201)	07	L3	CO5																																																		
	c.	Two samples of sizes 9 and 8 give the sum of squares of deviations from their respective means equal to 160 inches and 91 inches respectively. Can these be required as drawn from the same normal population? ($F_{8,7} = 3.73$).	07	L2	CO4																																																		
Module – 5																																																							
Q.9	a.	Three samples each of size 5 were drawn from three uncorrelated normal populations with equal variances. Test the hypothesis that the population means are equal at 5% level. <table><tr><td>Sample 1</td><td>10</td><td>12</td><td>9</td><td>16</td><td>13</td></tr><tr><td>Sample 2</td><td>9</td><td>7</td><td>12</td><td>11</td><td>11</td></tr><tr><td>Sample 3</td><td>14</td><td>11</td><td>15</td><td>14</td><td>16</td></tr></table> Apply one-way ANOVA using 0.05 significance level.	Sample 1	10	12	9	16	13	Sample 2	9	7	12	11	11	Sample 3	14	11	15	14	16	10	L3	CO6																																
Sample 1	10	12	9	16	13																																																		
Sample 2	9	7	12	11	11																																																		
Sample 3	14	11	15	14	16																																																		
	b.	Present your conclusions after doing analysis of variance to the following results of the Latin – square design experiment conducted in respect of five fertilizers which were used on plots of different fertilizers. <table><tr><td>A</td><td>B</td><td>C</td><td>D</td><td>E</td></tr><tr><td>16</td><td>10</td><td>11</td><td>9</td><td>9</td></tr><tr><td>E</td><td>C</td><td>A</td><td>B</td><td>D</td></tr><tr><td>10</td><td>9</td><td>14</td><td>12</td><td>11</td></tr><tr><td>B</td><td>D</td><td>E</td><td>C</td><td>A</td></tr><tr><td>15</td><td>8</td><td>8</td><td>10</td><td>18</td></tr><tr><td>D</td><td>E</td><td>B</td><td>A</td><td>C</td></tr><tr><td>12</td><td>6</td><td>13</td><td>13</td><td>12</td></tr><tr><td>C</td><td>A</td><td>D</td><td>E</td><td>B</td></tr><tr><td>13</td><td>11</td><td>10</td><td>7</td><td>14</td></tr></table>	A	B	C	D	E	16	10	11	9	9	E	C	A	B	D	10	9	14	12	11	B	D	E	C	A	15	8	8	10	18	D	E	B	A	C	12	6	13	13	12	C	A	D	E	B	13	11	10	7	14	10	L3	CO6
A	B	C	D	E																																																			
16	10	11	9	9																																																			
E	C	A	B	D																																																			
10	9	14	12	11																																																			
B	D	E	C	A																																																			
15	8	8	10	18																																																			
D	E	B	A	C																																																			
12	6	13	13	12																																																			
C	A	D	E	B																																																			
13	11	10	7	14																																																			

OR

OR																													
Q.10	a.	Set an analysis of variance table for the following data at 5% significant level. <table><tr><td>A</td><td>6</td><td>7</td><td>3</td><td>8</td></tr><tr><td>B</td><td>5</td><td>5</td><td>3</td><td>7</td></tr><tr><td>C</td><td>5</td><td>4</td><td>3</td><td>4</td></tr></table>	A	6	7	3	8	B	5	5	3	7	C	5	4	3	4	10	L3	CO6									
	A	6	7	3	8																								
B	5	5	3	7																									
C	5	4	3	4																									
	b.	Perform a two-way ANOVA on the data given below. <table><tr><th rowspan="2">Plot of land</th><th colspan="4">Treatment</th></tr><tr><th>A</th><th>B</th><th>C</th><th>D</th></tr><tr><td>I</td><td>38</td><td>40</td><td>41</td><td>39</td></tr><tr><td>II</td><td>45</td><td>42</td><td>49</td><td>36</td></tr><tr><td>III</td><td>40</td><td>38</td><td>42</td><td>42</td></tr></table> i) Is there any significant difference between the treatment? ii) Is there any significant difference between the plots?	Plot of land	Treatment				A	B	C	D	I	38	40	41	39	II	45	42	49	36	III	40	38	42	42	10	L3	CO6
Plot of land	Treatment																												
	A	B	C	D																									
I	38	40	41	39																									
II	45	42	49	36																									
III	40	38	42	42																									

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Third Semester B.E./B.Tech. Degree Supplementary Examination
June/July 2024

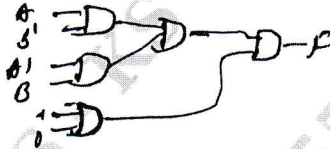
Digital Design and Computer Organization

Time: 3 hrs.

Max. Marks: 100

Note: 1. Answer any FIVE full questions, choosing ONE full question from each module.

2. M : Marks , L: Bloom's level , C: Course outcomes.

Module – 1				M	L	C
Q.1	a.	Simplify the Boolean function i) $F(x, y, z) = \Sigma(2, 3, 4, 5)$ ii) $F(x, y, z) = \Sigma(3, 4, 6, 7)$		10	L3	CO1
	b.	Obtain a minimum product of sum with a Karnaugh Map $F(w, x, y, z) = x'z' + wyz + w'y'z' + x'y$		10	L3	CO1
OR						
Q.2	a.	Define multiplexer. Explain 2 to 1 line multiplexer.		10	L2	CO1
	b.	Write the verilog code and time diagram for the given circuit with propagation delay where the AND, OR gate has a delay of 30ns and 10ns. 		5	L2	CO1
		Fig Q2(b)				
	c.	Explain implementation of full adder with logic diagram.		5	L3	CO1
Module – 2						
Q.3	a.	Explain with neat diagram and 4 input priority encodes.		10	L2	CO2
	b.	Explain 2 : 4 time decoder with help of logic diagram and truth table.		10	L2	CO2
OR						
Q.4	a.	Define Latch. Explain S-R flip flop based on NOR Gate with neat diagram.		10	L2	CO2
	b.	Explain clocked D flip flop with neat diagram.		10	L2	CO2
Module – 3						
Q.5	a.	With neat diagram, explain the basic operational concepts of computers.		10	L2	CO3
	b.	Write a program to evaluate arithmetic statement $Y = (A + B) * (C + D)$ using 3 address, 2 address, one address and zero address instruction.		10	L3	CO3
OR						
Q.6	a.	Describe the concept of Branch instruction with example.		10	L2	CO3
	b.	Explain 5 addressing modes with example.		10	L2	CO3

Module – 4					
Q.7	a.	Explain the I/O interfacing and I/O device with computers.	10	L2	CO4
	b.	What is Bus Arbitration? Explain types of bus arbitration.	10	L2	CO4
OR					
Q.8	a.	What is cache memory? Explain the different type of cache mapping function.	10	L2	CO4
	b.	Explain basic concepts involved for memory structures of computers.	10	L2	CO4
Module – 5					
Q.9	a.	Explain with neat diagram of single bus organization.	10	L2	CO5
	b.	Explain complete execution steps for instruction ADD (R3), R1.	10	L2	CO5
OR					
Q.10	a.	Explain execution of complete instruction carry out.	10	L2	CO5
	b.	What is pipeline? Explain with example of pipeline performance.	10	L2	CO5

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CBCS SCHEME

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BCS303

Third Semester B.E./B.Tech. Degree Supplementary Examination, June/July 2024 Operating Systems

Time: 3 hrs.

Max. Marks: 100

*Note: 1. Answer any FIVE full questions, choosing ONE full question from each module.
2. M : Marks , L: Bloom's level , C: Course outcomes.*

Module – 1			M	L	C																	
Q.1	a.	Define system call. List the types of system calls.	06	L1	CO1																	
	b.	With a neat figure, explain the concept of virtual machines.	06	L2	CO1																	
	c.	Define Operating System. Explain multiprogramming and time sharing operating system.	08	L2	CO1																	
OR																						
Q.2	a.	List the responsibilities of the operating system for process management and memory management.	06	L1	CO1																	
	b.	Different between kernel mode and user mode operation of operating systems.	06	L4	CO1																	
	c.	Discuss the services that are provided by the operating systems for users and its efficient operation.	08	L2	CO1																	
Module – 2																						
Q.3	a.	Explain the process states with a neat figure.	06	L2	CO2																	
	b.	Differentiate between the different types of multithreading models.	06	L4	CO2																	
	c.	Consider the following four processes, with the length of the CPU burst given in milliseconds: <table border="1" style="margin: 10px auto; width: 60%;"><thead><tr><th>Process</th><th>Arrival Time</th><th>Burst Time</th></tr></thead><tbody><tr><td>P1</td><td>0</td><td>8</td></tr><tr><td>P2</td><td>1</td><td>4</td></tr><tr><td>P3</td><td>2</td><td>9</td></tr><tr><td>P4</td><td>3</td><td>5</td></tr></tbody></table> Computer the average waiting for the above processes using FCFS, Preemptive SJF and non-preemptive SJF scheduling algorithms.	Process	Arrival Time	Burst Time	P1	0	8	P2	1	4	P3	2	9	P4	3	5	08	L3	CO2		
Process	Arrival Time	Burst Time																				
P1	0	8																				
P2	1	4																				
P3	2	9																				
P4	3	5																				
OR																						
Q.4	a.	Define thread. List and explain the benefits of multithreaded programming.	06	L2	CO2																	
	b.	Differentiate between shared memory and message passing methods for interprocess communication.	06	L4	CO2																	
	c.	Consider the following set of processes, with the length of the CPU-burst time given in milliseconds: <table border="1" style="margin: 10px auto; width: 60%;"><thead><tr><th>Process</th><th>Arrival Time</th><th>Burst Time</th></tr></thead><tbody><tr><td>P₁</td><td>10</td><td>3</td></tr><tr><td>P₂</td><td>1</td><td>1</td></tr><tr><td>P₃</td><td>2</td><td>3</td></tr><tr><td>P₄</td><td>1</td><td>4</td></tr><tr><td>P₅</td><td>5</td><td>2</td></tr></tbody></table> The processes are assumed to have arrived in the under P ₁ , P ₂ , P ₃ , P ₄ , P ₅ all at time 0. Compute the average waiting time for the above processes using FCFS, Priority (Smaller priority number implies higher priority) and RR (Time quantum = 1) scheduling algorithms.	Process	Arrival Time	Burst Time	P ₁	10	3	P ₂	1	1	P ₃	2	3	P ₄	1	4	P ₅	5	2	08	L3
Process	Arrival Time	Burst Time																				
P ₁	10	3																				
P ₂	1	1																				
P ₃	2	3																				
P ₄	1	4																				
P ₅	5	2																				

Module – 3						
Q.5	a.	What is critical section problem? Discuss the three requirements that a solution to critical section problem must satisfy.	06	L2	CO3	
	b.	Define semaphore. Explain how mutual exclusion can be implemented using semaphores.	06	L2	CO3	
	c.	Consider a system with five processes P ₀ through P ₄ and three resource type A has ten instances, resource type B was five instances and resource type C has seven instances. Suppose at time 70, the following snapshot of the system has been taken. Determine whether the following system is safe using Banker's algorithm. Write the safe sequence. <div style="display: flex; justify-content: space-around; text-align: center;"> <div>Allocation</div> <div>Max</div> <div>Available</div> </div> <div style="display: flex; justify-content: space-around; text-align: center;"> <div> A B C P₀ 0 1 0 P₁ 2 0 0 P₂ 3 0 2 P₃ 2 1 1 P₄ 0 0 2 </div> <div> A B C 7 5 3 3 2 2 9 0 2 2 2 2 4 3 3 </div> <div> A B C 3 3 2 </div> </div>	08	L3	CO3	
OR						
Q.6	a.	What is deadlock? What are the necessary conditions for a deadlock to occur?	06	L2	CO3	
	b.	Illustrate how dining philosophers' problem can be solved using semaphores.	06	L2	CO3	
	c.	Give five memory partitions of 100 KB, 500 KB, 200 KB, 300 KB and 600 KB (in order). How would each of the first fit, best fit and worst-fit algorithms place processes of 212 KB, 417KB, 112 KB and 426 KB (in order)? Which algorithm makes the most efficient use of memory?	08	L3	CO3	
Module – 4						
Q.7	a.	Explain segmentation with an example.	06	L2	CO4	
	b.	Describe the steps in handling a page fault with a neat figure.	06	L2	CO4	
	c.	Consider the following reference string 7, 0, 1, 20, 3, 0, 42, 3, 03, 2, 1, 2, 0, 1, 7, 0, 1 How many page faults would occur for the following replacement algorithms assuming three frames? (i) FIFO page replacement (ii) LRU page replacement	08	L3	CO4	
OR						
Q.8	a.	What is thrashing? How can it be controlled?	06	L2	CO4	
	b.	Compare and contrast internal and external fragmentation of memory.	06	L2	CO4	
	c.	Consider the following page reference string: 1, 2, 3, 4, 2, 1, 5, 6, 2, 1, 2, 3, 7, 6, 3, 2, 1, 2, 3, 6 How many page faults would occur for the following replacement algorithms assuming four frames. i) LRU replacement ii) Optimal replacement	08	L3	CO4	

Module – 5					
Q.9	a.	Compare and contrast sequential access and direct access methods for extracting information from files.	06	L4	CO5
	b.	Describe the concept of protection domain with an example of a system with three protection domains.	06	L2	CO6
	c.	Suppose that a disk drive has 200 cylinders, numbered 0 to 199. The drive is currently serving a request at cylinder 53, and the previous request was at cylinder 20. The queue of pending requests in FIFO order is 98, 183, 37, 122, 14, 124, 65, 67 Starting from current head position, what is a total distance (in cylinders) that the disk arm move to satisfy all pending requests, for each of the following scheduling algorithms? i) SSTF ii) C-SCAN	08	L3	CO5
OR					
Q.10	a.	Differentiate between acyclic-graph directories and tree structured directories.	06	L4	CO5
	b.	Illustrate the concepts of access matrix with suitable examples.	06	L2	CO6
	c.	Suppose that a disk drive has 5000 cylinders, numbered 0 to 4999. The drive is currently serving a request at cylinder 143, and suppose the previous request was at cylinder 125. The queue of pending requests in FIFO order is 86, 1470, 913, 1774, 948, 1509, 1022, 1750, 130. Starting from current head position, what is the total distance (in cylinders) that the disk arm move to satisfy all the pending requests, for each of the following disk scheduling algorithms: i) FCFS ii) SCAN	08	L3	CO5

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**Third Semester B.E./B.Tech. Degree Supplementary Examination,
June/July 2024**

Data Structures and Applications

Time: 3 hrs.

Max. Marks: 100

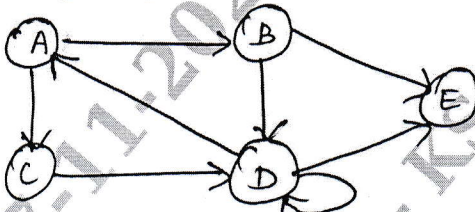
*Note: 1. Answer any FIVE full questions, choosing ONE full question from each module.
2. M : Marks , L: Bloom's level , C: Course outcomes.*

Module – 1			M	L	C
Q.1	a.	Define Data Structures.	04	L1	CO1
	b.	Explain the classification of Data Structures with example.	10	L2	CO1
	c.	Explain all operations of Data Structures.	06	L2	CO1
OR					
Q.2	a.	Explain any five string handling functions supported by 'c' with syntax and example.	10	L2	CO1
	b.	Convert the following infix expression to postfix expression using stack: $A + (B * C - (D/E \wedge F) * G) * H$	10	L3	CO1
Module – 2					
Q.3	a.	List the disadvantages of linear queue and how is it solved in circular queues. Give the algorithm to insert and delete an element in circular queues.	12	L2	CO2
	b.	Explain in detail about multiple queues with relevant functions in 'C'.	08	L2	CO2
OR					
Q.4	a.	Develop a linked list with the basic operations performed on Singly Linked List (SLL) and different types of linked list.	12	L3	CO2
	b.	Examine a node structure for linked representation of polynomial. Explain algorithm to add two polynomial represented using linked list.	08	L2	CO2
Module – 3					
Q.5	a.	Summarize Sparse Matrix. For the given sparse matrix, write the diagrammatic linked list representation. $\begin{bmatrix} 8 & 0 & 0 & 0 \\ 5 & 0 & 0 & 3 \\ 0 & 0 & 0 & 0 \\ 4 & 0 & 0 & 8 \\ 0 & 0 & 9 & 1 \end{bmatrix}$	08	L3	CO3
	b.	Define Doubly linked list. Write the functions to perform the following operations on doubly linked list. (i) Insert a node at rear end of the list (ii) Delete a node at rear end of the list (iii) Search a node with a given key value	12	L3	CO3
OR					
Q.6	a.	Define Tree with any six tree terminology.	06	L1	CO3
	b.	Write the function for copying and testing of binary tree.	06	L3	CO3
	c.	Draw a binary tree and find out the binary tree traversals for the following expression $3 + 4 * (7 - 6) / 4 + 3$.	08	L3	CO3

Module – 4

Q.7	a.	Construct binary search tree for the given set of values 14, 15, 4, 9, 7, 18, 3, 5, 16, 20 Also perform inroder, preorder and post order traversals of the obtained tree.	08	L3	CO4
	b.	Build a linked list representation of disjoint sets in detail.	06	L3	CO4
	c.	Simplify recursive search algorithm for a binary search tree.	06	L3	CO4

OR

Q.8	a.	Compare a graph with tree. For the graph shown in Fig.Q8(a), show the adjacency matrix and adjacency list representation.  Fig.Q8(a)	08	L3	CO4
	b.	Explain all methods used for traversing a graph with suitable example and write 'C' function for the same.	12	L3	CO4

Module – 5

Q.9	a.	Differentiate between static hashing and dynamic hashing in detail with operations.	10	L2	CO5
	b.	Describe double ended priority queue.	04	L2	CO5
	c.	Explain Hashing with any three Hash functions.	06	L2	CO5

OR

Q.10	a.	What is collision? Explain the method to resolve collision with suitable algorithm of linear probing. Insert keys 72, 27, 36, 24, 63, 81, 92, 101 into % [size 10].	10	L3	CO5												
	b.	Construct an optimal binary search tree for the following keys with the probabilities as <table border="1" data-bbox="308 1417 852 1501"> <tr> <td>Keys</td><td>A</td><td>B</td><td>C</td><td>D</td><td>E</td></tr> <tr> <td>Probability</td><td>0.25</td><td>0.2</td><td>0.05</td><td>0.2</td><td>0.3</td></tr> </table>	Keys	A	B	C	D	E	Probability	0.25	0.2	0.05	0.2	0.3	10	L3	CO5
Keys	A	B	C	D	E												
Probability	0.25	0.2	0.05	0.2	0.3												

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**Third Semester B.E./B.Tech. Degree Supplementary Examination,
June/July 2024**

Object Oriented Programming with Java

Time: 3 hrs.

Max. Marks: 100

Note: 1. Answer any FIVE full questions, choosing ONE full question from each module.

2. M : Marks , L: Bloom's level , C: Course outcomes.

Module – 1				M	L	C
Q.1	a.	List and explain OOP's principles in JAVA.		8	L2	CO1
	b.	Class Helloworld { Public static void main (String [] args) { int a ; for (a = 0 ; a < 3 ; a ++) { int b = -1 ; system.out.println (" " +b) ; b = 50 ; system.out.println (" " +b) ; } system.out.println ("Hello, world!") ; } } What is the output of the above code?		6	L3	CO1
	c.	Develop a program to find an average among the elements {1, 2, 3, 4, 5} using for each loop in JAVA.		6	L3	CO1
OR						
Q.2	a.	How arrays are defined and used in Java? Give examples.		6	L2	CO1
	b.	Briefly explain the various primitive data types used in Java.		6	L2	CO1
	c.	Explain the following jump statements : (i) Break (ii) Continue		8	L2	CO1
Module – 2						
Q.3	a.	Explain the constructor method and parameterized constructors methods with suitable examples.		10	L3	CO2
	b.	Discuss the significant features of the following keyword : (i) this (ii) static		4	L2	CO2
	c.	What is method overloading? Illustrate the concept of method overloading using java program.		6	L2	CO2
OR						
Q.4	a.	Write a java program to illustrate : (i) Passing object as parameters. (ii) Returning objects		10	L3	CO2
	b.	A class called Employee, which models an employee with an ID, name and salary. The method raiseSalary (percent) increases the salary by the given percentage. Develop the Employee Class and suitable main method for demonstration.		10	L3	CO2

Module – 3					
Q.5	a.	With example, give two uses of super.	6	L2	CO3
	b.	What is dynamic method dispatch? Write a simple example that illustrates dynamic method dispatch.	8	L2	CO3
	c.	Briefly explain the final keyword with inheritance.	6	L2	CO3
OR					
Q.6	a.	What is an interface? Briefly explain the general forms of an interface.	6	L2	CO3
	b.	Discuss the significance of nested interfaces in Java.	8	L2	CO3
	c.	With proper syntax, explain the method overriding.	6	L2	CO3
Module – 4					
Q.7	a.	What is a package? What are the steps involved in creating user defined packages? Explain.	10	L2	CO4
	b.	Define exception and explain the exception handling mechanism with an example.	6	L2	CO4
	c.	Discuss about throw and throws features.	4	L2	CO4
OR					
Q.8	a.	Write a program to illustrate for nested fry statements.	6	L2	CO4
	b.	Enlist any three java Built-in exceptions and explain.	6	L2	CO4
	c.	What is chained exception? Give an example that illustrates the mechanics of handling chained exceptions.	8	L2	CO4
Module – 5					
Q.9	a.	Write a program to create multiple threads in JAVA.	10	L3	CO5
	b.	With syntax, explain the use of isAlive () and join () methods.	6	L3	CO5
	c.	Discuss the significance of thread priorities in JAVA.	4	L2	CO5
OR					
Q.10	a.	With Syntax, explain values () and value of () methods.	6	L2	CO4
	b.	List and Discuss the Numeric type wrappers methods.	6	L2	CO4
	c.	Write a program to demonstrate the following : (i) A type wrapper (ii) Autoboxing/Unboxing	8	L2	CO4

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